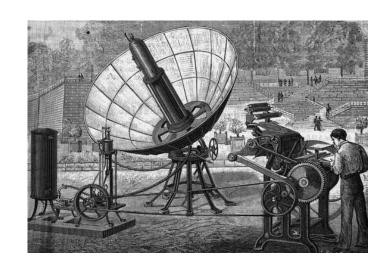


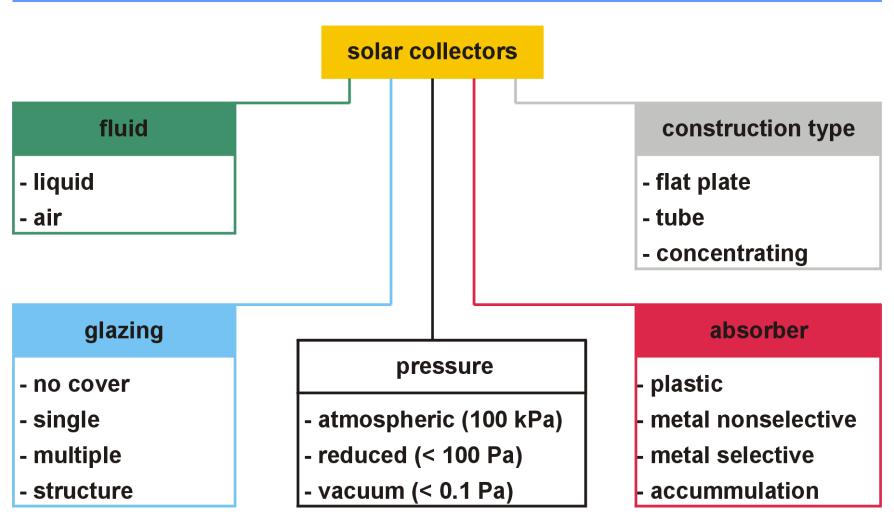
Solar collectors

- collector components
- efficiency factor
- efficiency
- heat output



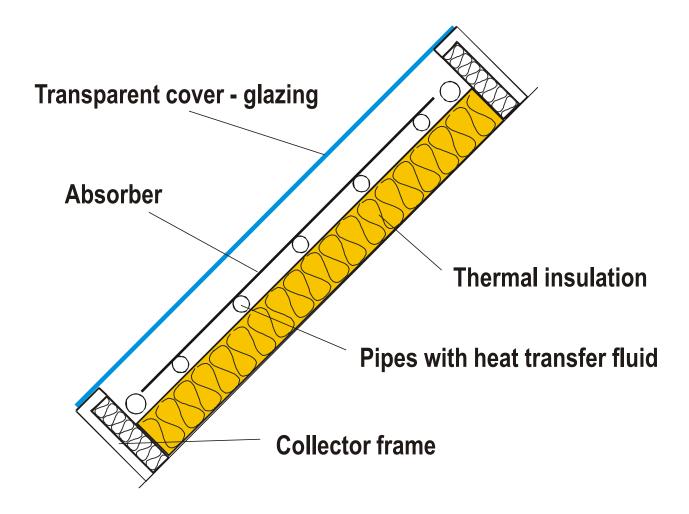


Solar collectors





Solar collector





Glazing

- single glazing
- low content of FeO₃ ("solar", "low-iron")
 - reduction of absoptance in material of cover
- antireflective coatings
 - reduction of reflection at interface glass-air
- prizmatic glazing (pyramids, texture)
 - increase of transmittanceat higher incident angles

double glazing

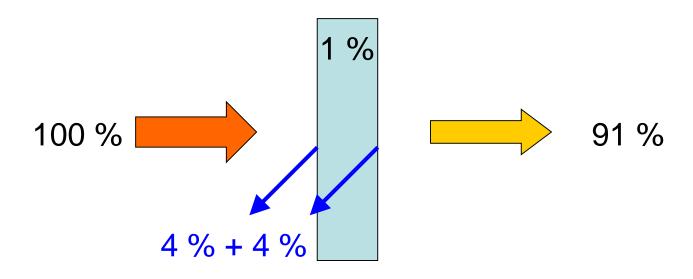
solar glazing + foil (teflon), reduced heat loss, lower transmittance





Optical losses

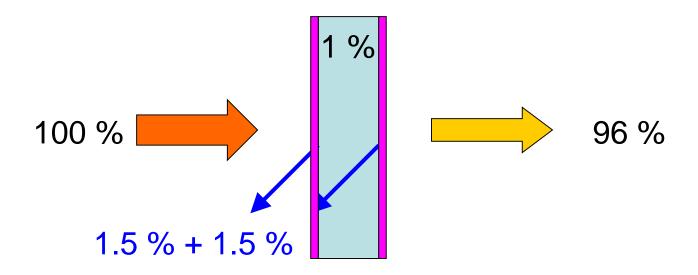
reflection at each interface glass-air about 4 % (normal incidence) practically independent on thickness





Antireflective (AR) coatings

reflection for each interface glass-air is reduced to 1,5 % layer with low refraction index (mechanically, chemically)

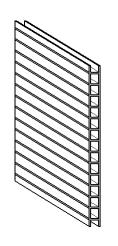


double glazing with 4 AR coatings: transmittance **92** % > single glazing without AR coatings 91 %

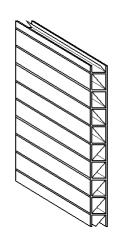


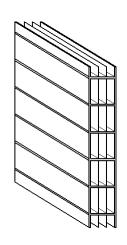
Glazing heat loss

- heat loss through cover about **75-85** % total loss
- multiple glazings
- special structures

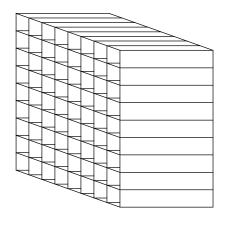


channel structures





honeycomb structures



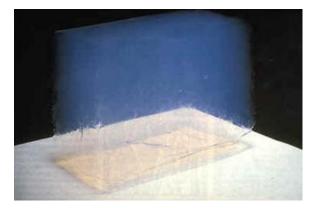






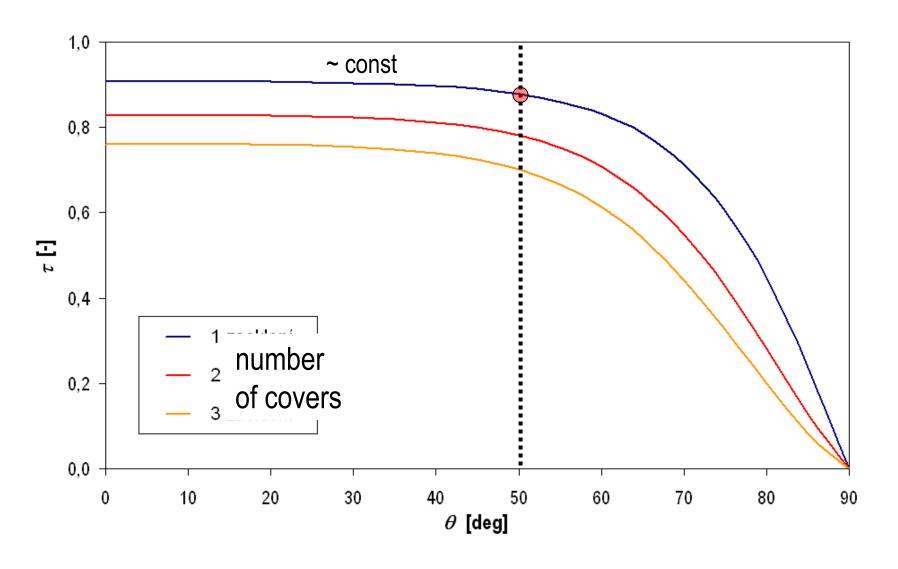


aerogel





Glazing optical properties - transmittance





Solar absorber

theory of radiation, radiation properties of bodies

- absorptance α + reflectance ρ = 1 (adiathermanous bodies)
- for given wavelength λ applies: absorptance α_{λ} = emissivity ϵ_{λ}

• perfect black body: α = 1, ρ = 0

for all wavelengths

• perfect white body: α = 0, ρ = 1

for all wavelengths

• grey body $0 < \alpha = \alpha_{\lambda} < 1$, $\rho = 1 - \alpha$

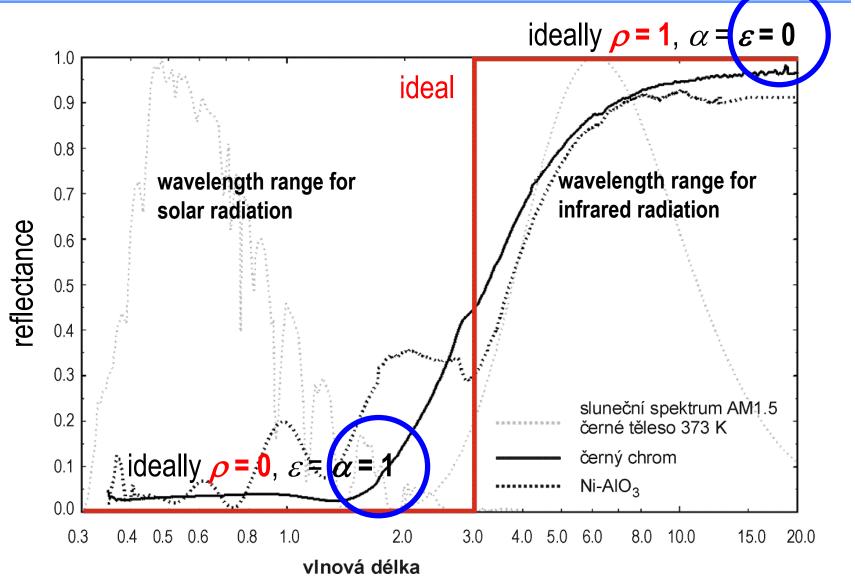
for all wavelengths

• selective body $0 < \alpha_{\lambda} < 1$, $\rho_{\lambda} = 1 - \alpha_{\lambda}$

$$\alpha_{\text{SOL}} \neq \varepsilon_{\text{IR}}$$



Selective coatings





Selective coatings

galvanic coatings

strucuture of coating by electrochemic method

$$\alpha = 0.93 - 0.96$$
, $\varepsilon = 0.10 - 0.16$

<u>cer</u>amic-<u>met</u>al: cermet coatings

 sputtering, ohysical vapour deposition process, high quality coatings

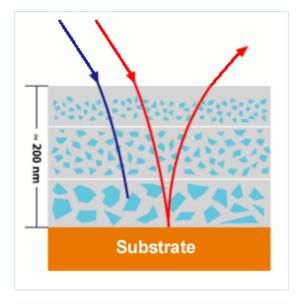
$$\alpha = 0.95, \ \varepsilon = 0.05$$

paints

significantly worse properties

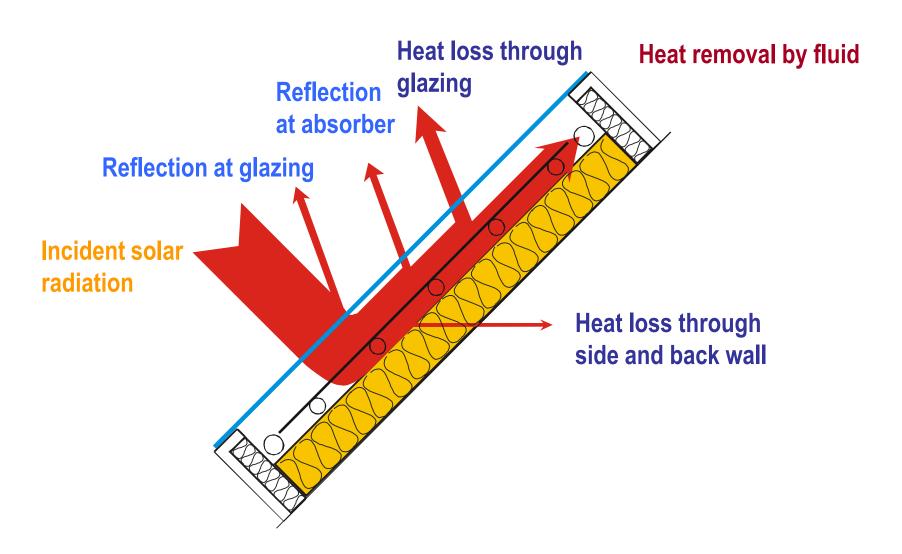
$$\alpha$$
 = 0,92, ε = 0,85







Energy balance of solar collector





Energy balance of solar collector

$$\frac{dQ}{dt} = \dot{Q}_{s} - \dot{Q}_{z,o} - \dot{Q}_{z,t} - \dot{Q}_{k}$$
 general formula

$$\dot{Q}_{k} = \dot{Q}_{s} - \dot{Q}_{zo} - \dot{Q}_{zt}$$

stationary conditions dQ/dt = 0

Q_s incident power of solar radiation

 $Q_s = G.A_k$

Q_{z,o} optical losses

 $Q_{z,o} = Q_s - Q_s \tau \alpha$

Q_{z,t} heat losses

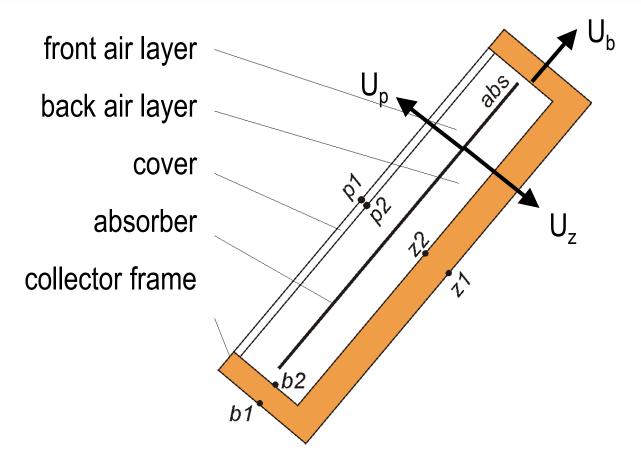
 $Q_{z,t} = U.A_k (t_{abs} - t_e)$

Q_k heat output of collector

 $Q_k = M \cdot c \cdot (t_{k2} - t_{k1})$



Heat loss of solar collector



$$\dot{Q}_{z,t} = U_p A_k (t_{abs} - t_e) + U_z A_k (t_{abs} - t_e) + U_b A_b (t_{abs} - t_e) = U A_k (t_{abs} - t_e)$$



Heat output and efficiency of collector

heat output of collector:

$$\dot{Q}_{k} = GA_{k}\tau\alpha - UA_{k}(t_{abs} - t_{e})$$

efficiency based on mean absorber temperature:

$$\eta = \frac{\dot{Q}_{k}}{\dot{Q}_{s}} = \frac{\dot{Q}_{k}}{GA_{k}} = \frac{GA_{k}\tau\alpha - UA_{k}(t_{abs} - t_{e})}{GA_{k}}$$

$$\eta = \tau \alpha - U \frac{(t_{\text{abs}} - t_{\text{e}})}{G}$$



Efficiency of solar collector

$$\eta = \tau \alpha - U \frac{(t_{abs} - t_e)}{G}$$

 τ ... glazing transmittance for solar radiation [-]

 α ... absorber absorptance for solar radiation [-]

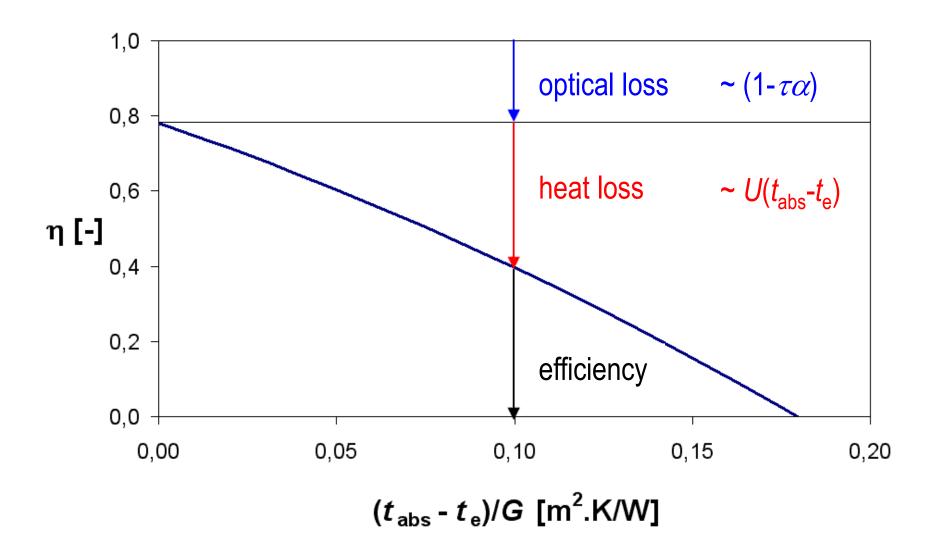
U ... heat loss coefficient [W/m².K]

t_{abs} ... mean absorber temperature [°C]

t_e ... ambient temperature [°C]

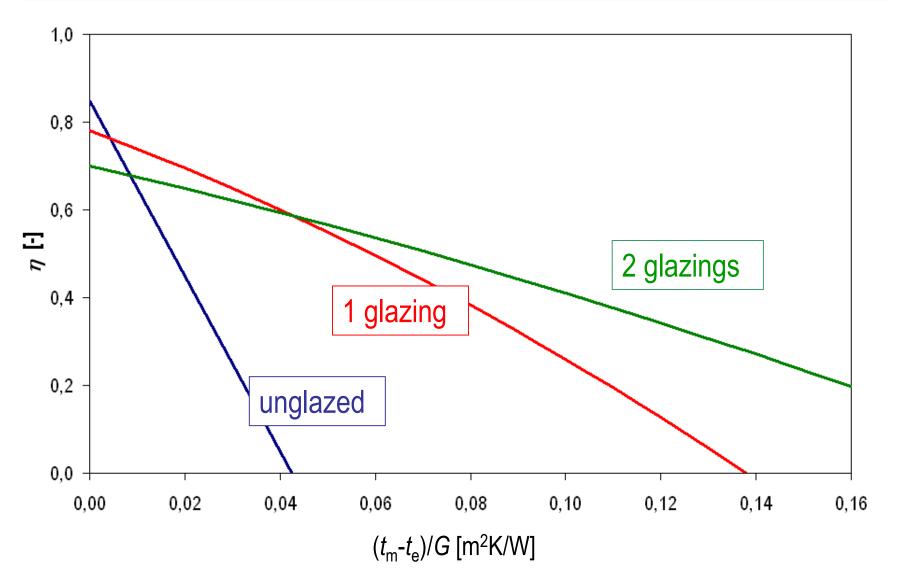


Efficiency of solar collector





Heat loss x optical loss





Efficiency of solar collector

$$\eta = F' \left[\tau \alpha - U \frac{(t_m - t_e)}{G} \right]$$

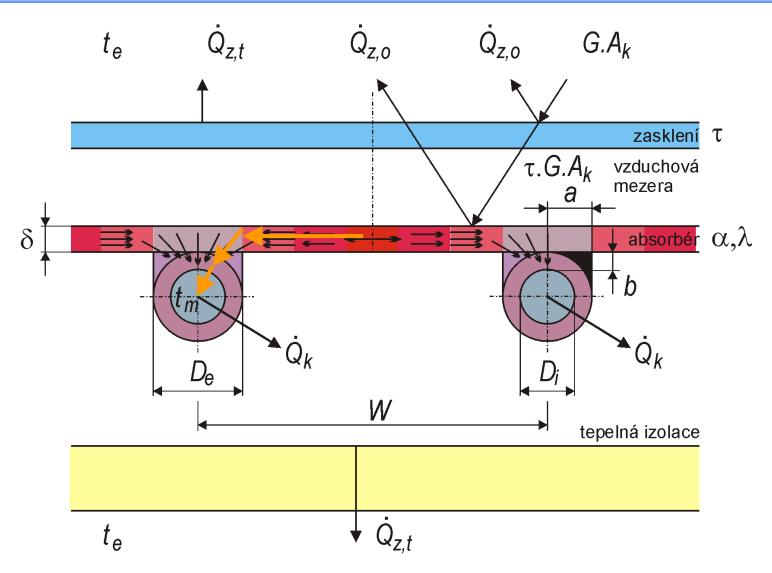
F' ... efficiency factor > 0.90 depends on geometry and thermal properties of absorber

 $t_{\rm m}$... mean fluid temperature

$$t_{\rm m} = (t_{\rm k1} + t_{\rm k2})/2$$



Heat transfer from absorber surface





Efficiency factor F'

depends on

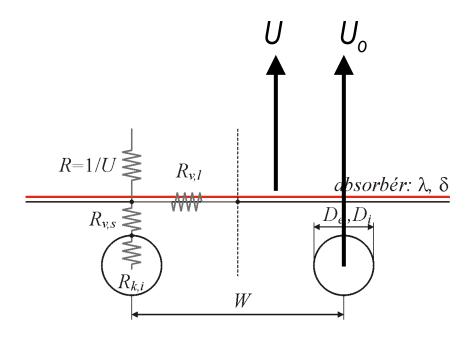
- geometry of absorber:
 - pipe distance, pipe dimension, thickness of pipe-absorber bond, absorber thickness
- physical properties of absorber:
 - thermal conductivity of absorber, thermal conductance of the bond pipe-absorber
- flow regime in pipes: heat transfer from pipe wall to fluid
- total heat loss coefficient of collector U



Efficiency factor F

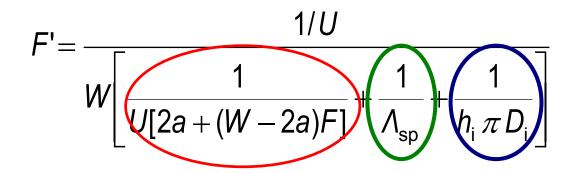
how efficient is the heat transfer from absorber surface to liquid?

$$F' = \frac{U_o}{U} = \frac{\text{heat loss from the fluid to ambient}}{\text{heat loss from absorber surface to ambient}}$$

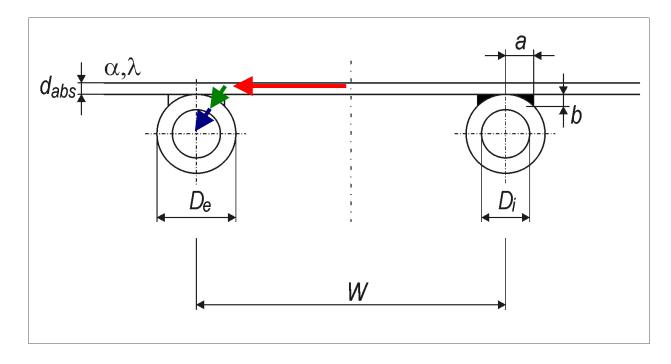




Efficiency factor F'



is a function of fin efficiency *F*



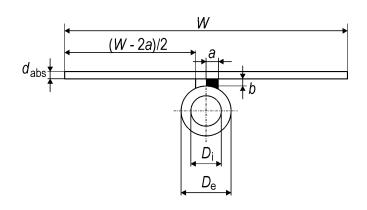


Fin efficiency F

$$F = \frac{\tanh[m(W-2a)/2]}{m(W-2a)/2}$$

$$m = \sqrt{\frac{II}{\lambda_{abs}d_{abs}}}$$

for rectangular fin



U

heat loss coefficient of collector

(W-2a)/2 active length of the fin

higher fin efficiency = higher heat removal from absorber

significant influence of thermal conductivity and thickness of absorber



Fin efficiency F

reference case: fin efficiency 0.96

copper absorber (390 W/mK), $d_{abs} = 0.2 \text{ mm}$, fin $W^* = W - 2a = 100 \text{ mm}$

heat loss coefficient $U = 4 \text{ W/m}^2\text{K}$







aluminium (240 W/mK)

 $d_{abs} = 0.20 \text{ mm}, W^* = 79 \text{ mm}$

 $d_{abs} = 0.32 \text{ mm}, W^* = 100 \text{ mm}$

steel (80 W/mK)

 $d_{abs} = 0.2 \text{ mm}, W^* = 45 \text{ mm}$

 $d_{abs} = 1.0 \text{ mm}, W^* = 100 \text{ mm}$

EPDM (0.14 W/mK) $d_{abs} = 2.0 \text{ mm}, W^* = 6 \text{ mm}$

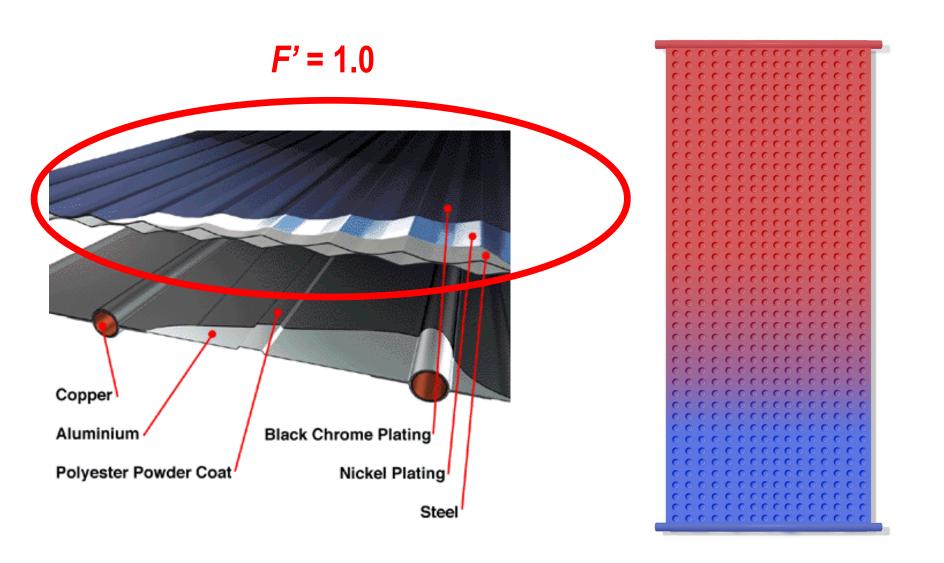


Plastic absorbers



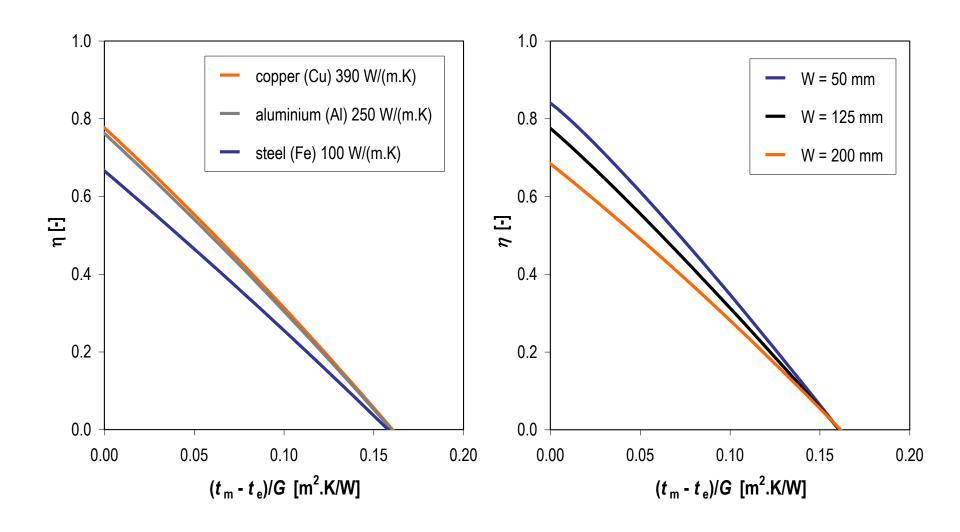


Best absorbers – fully wetted metal sheet





Influence of material and geometry

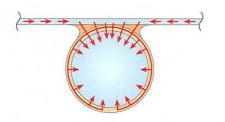


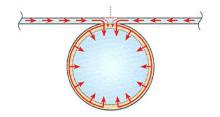


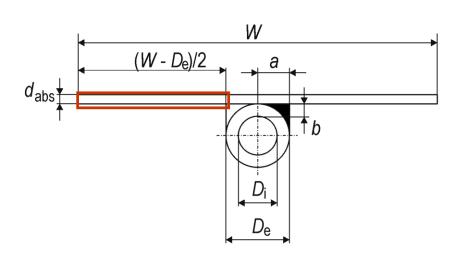
Efficiency factor F' – bond quality

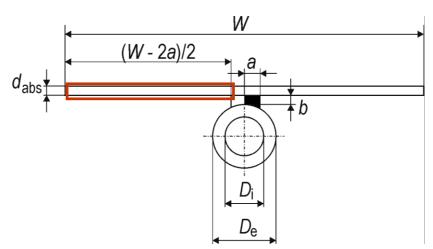
soldering

ultrasonic welding





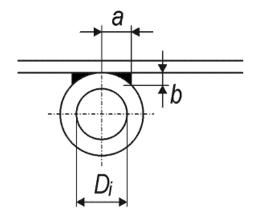






Bond conductance

geometry, material and contact quality



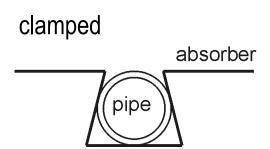
$$\Lambda_{\rm sp} = \frac{\lambda_{\rm sp} a}{b}$$

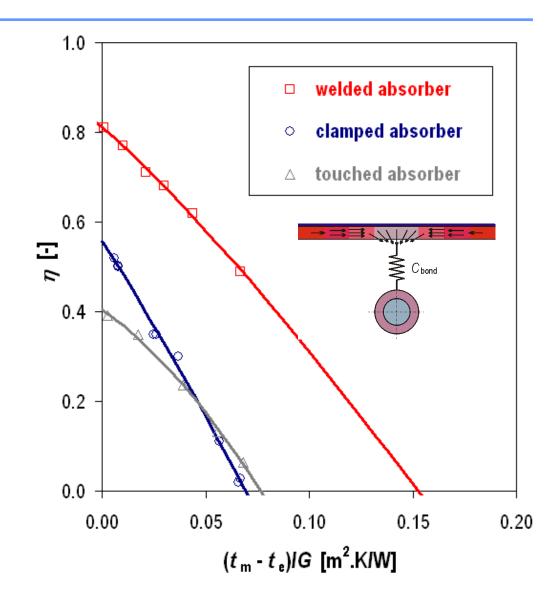
good metal-metal contact required (welding, soldering, pressing) if bond conductance > 30 W/mK NO DIFFERENCE



Influence of bond on efficiency

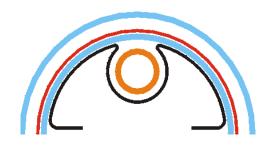


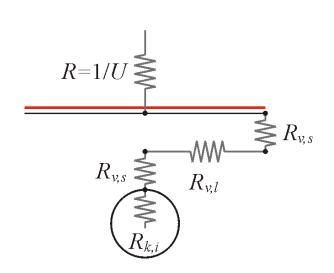






Vacuum tube (Sydney) collectors



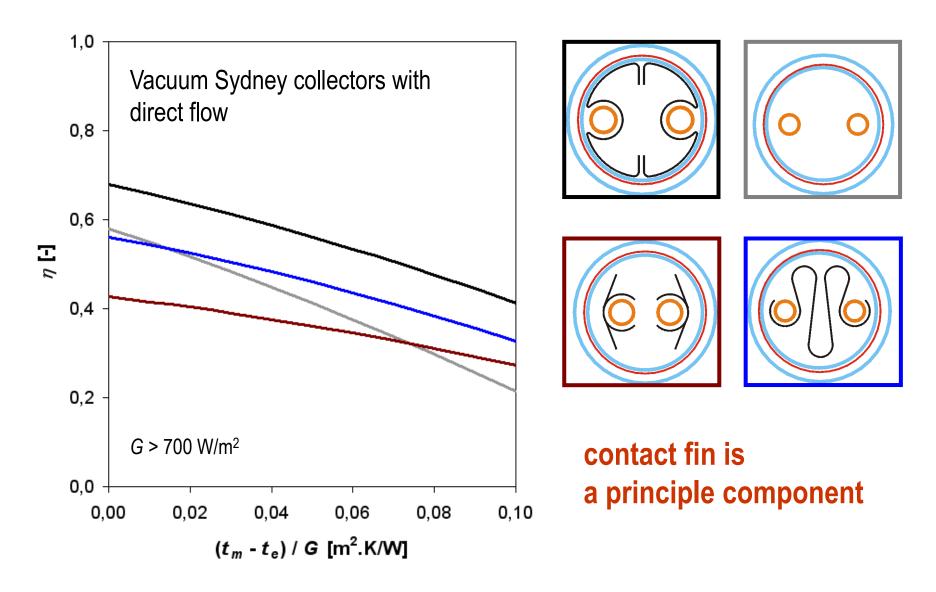


given by Sydney tube
$$\eta = F' \left[\tau \cdot \alpha - U \cdot \frac{(t_m - t_e)}{G} \right]$$

contact fin: short, conductive, thick, with a tight contact



Influence of contact fin on efficiency

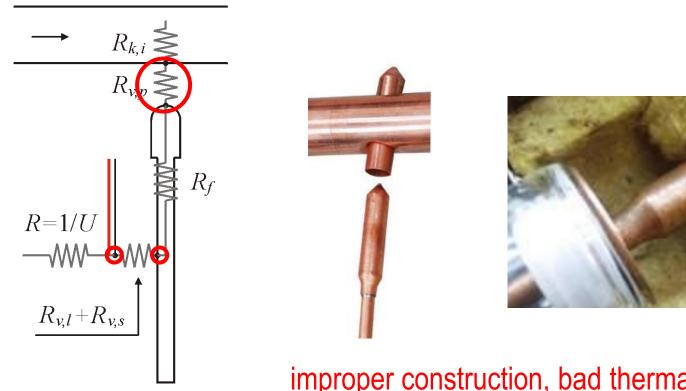




Contact at condenser of heat pipe

Heat pipe (phase change of working fluid inside HP)

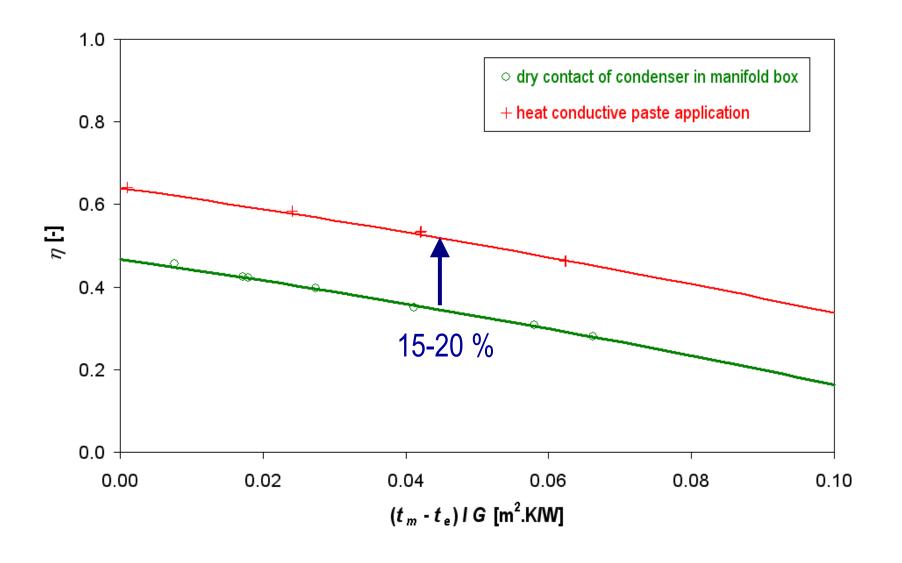
- evaporator (contact with a fin transferring heat from absorber tube)
- condenser (put into slot wetted by fluid)



improper construction, bad thermal contact



Dry contact of condenser with manifold





Solar collectors testing (EN)

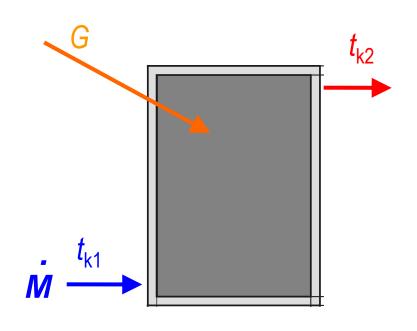
EN 12975-1,2

Performance tests

- heat output and efficiency of collector
- incidence angle modifier IAM (influence of incidence angle of solar radiation on efficiency and heat output – optical characteristics)
- effective heat capacity of collector
- at stationary conditions outdoor / indoor
 - clear sky, solar irradiance > 700 W/m², normal incidence, w > 3 m/s
- at dynamic conditions
 - changeable weather, more parameters, dynamic model of collector



Determination of heat output



heat output [W]

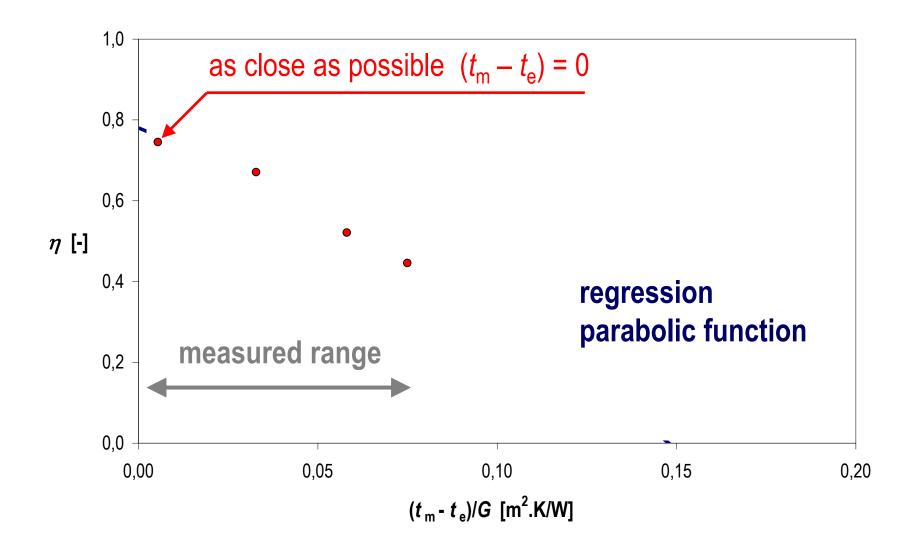
$$\dot{Q}_{k} = \dot{M} \cdot c \cdot (t_{k2} - t_{k1})$$

efficiency [-]

$$\eta = \frac{\dot{Q}_k}{G \cdot A_k}$$

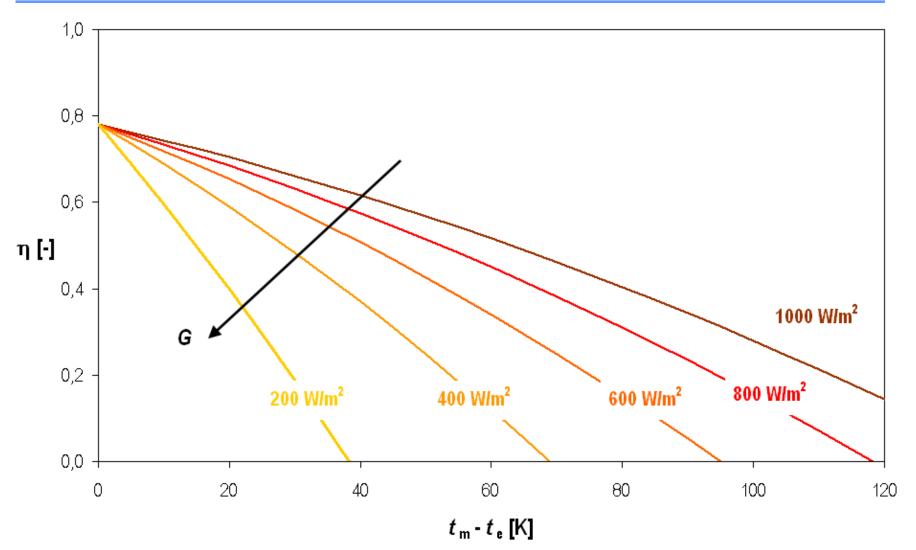


Measured points and regression





Efficiency characteristics = $f(t_m - t_e)$





Efficiency from testing

regression parabolic function in form

$$y = a + bx + cx^2$$

$$\eta = \eta_0 \left(a_1 \cdot \frac{t_m - t_e}{G} \right) \left(a_2 \cdot \frac{t_m - t_e}{G} \right)^2$$

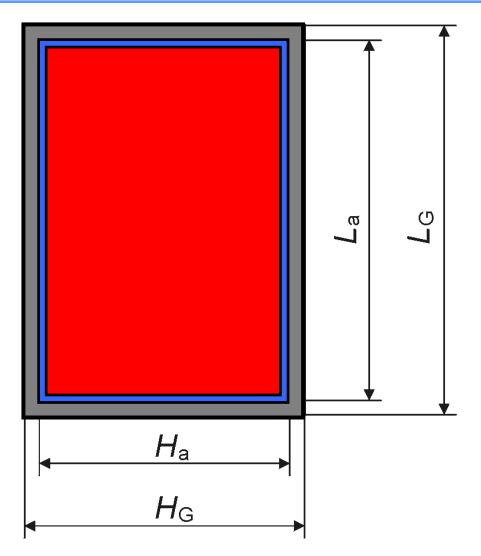
- η_0 "optical" efficiency [-], better: zero-loss efficiency
- a_1 linear heat loss coefficient [W/(m².K)]
- a_2 quadratic heat loss coefficient [W/(m².K²)]

values η_0 , a_1 , a_2 related to reference area A_k

coefficients are given by producer, supplier or testing institute based on test report in accordance to EN 12975-2



Reference collector area A_k



$$\eta = \frac{\dot{Q}_k}{G(A_k)}$$

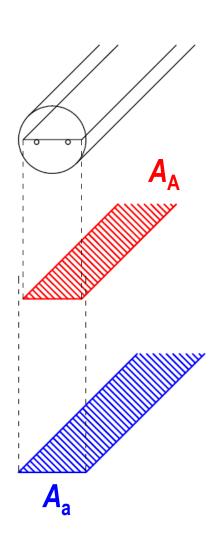
gross area: A_G

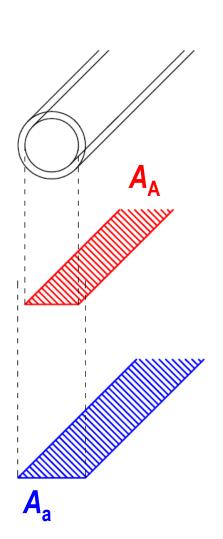
aperture area: Aa

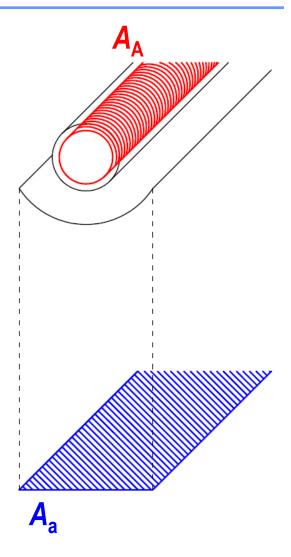
absorber area: A_A



Reference collector area A_k

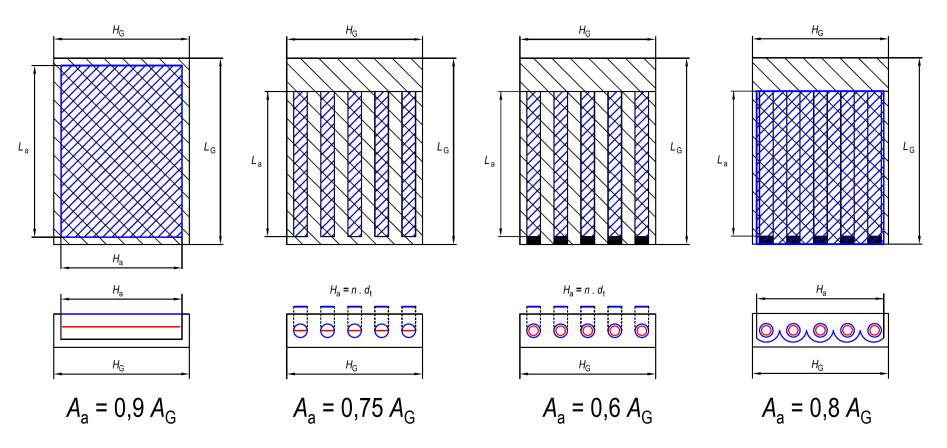








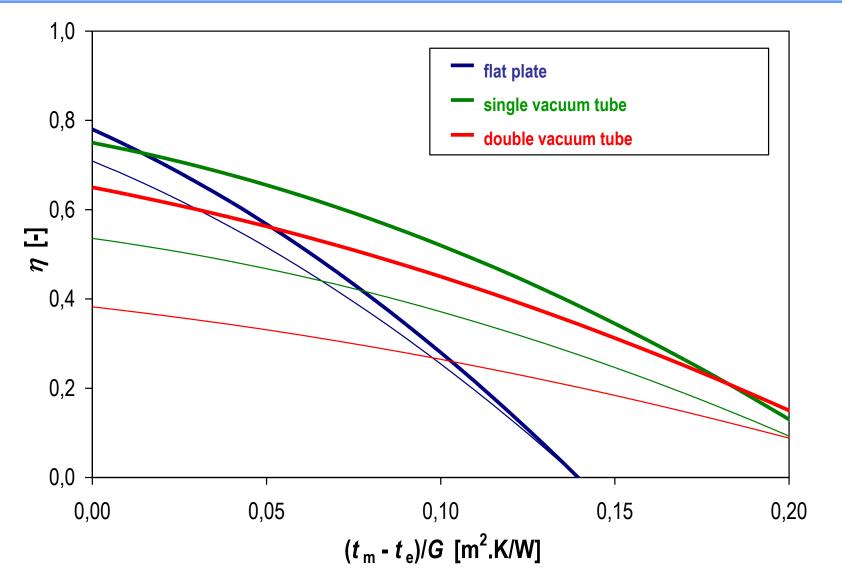
Reference collector area A_k



- aperture: comparison of collector quality, construction
- gross area: decision on potential for given application (limited space on roof)



Efficiency of solar collector $A_a \rightarrow A_G$





Typical coefficients *)

Collector type	η_0	a ₁	a ₂
	-	W/(m ² K)	W/(m ² K ²)
Unglazed	0.85	20	-
Glazed with nonselective absorber	0.75	6.5	0.030
Glazed with selective absorber	0.78	4.2	0.015
Vacuum single tube (flat absorber)	0.75	1.5	0.008
Vacuum tube Sydney	0.65	1.5	0.005

^{*)} referenced to aperture area



Heat output (power) of solar collector

solar collector power (normal incidence, clear sky)

$$\dot{Q}_{k} = \eta \cdot A_{k} \cdot G = A_{k} [\eta_{0}G - a_{1} \cdot (t_{m} - t_{e}) - a_{2} \cdot (t_{m} - t_{e})^{2}]$$

installed (nominal) power

– for defined conditions (according to ESTIF):

$$G = 1000 \text{ W/m}^2$$

$$t_{\rm e}$$
 = 20 °C

$$t_{\rm e}$$
 = 20 °C $t_{\rm m}$ = 50 °C

peak power (without heat loss)

$$\dot{Q}_k = A_k \eta_0 G$$

$$G = 1000 \text{ W/m}^2$$



Heat output (power) of solar collector

