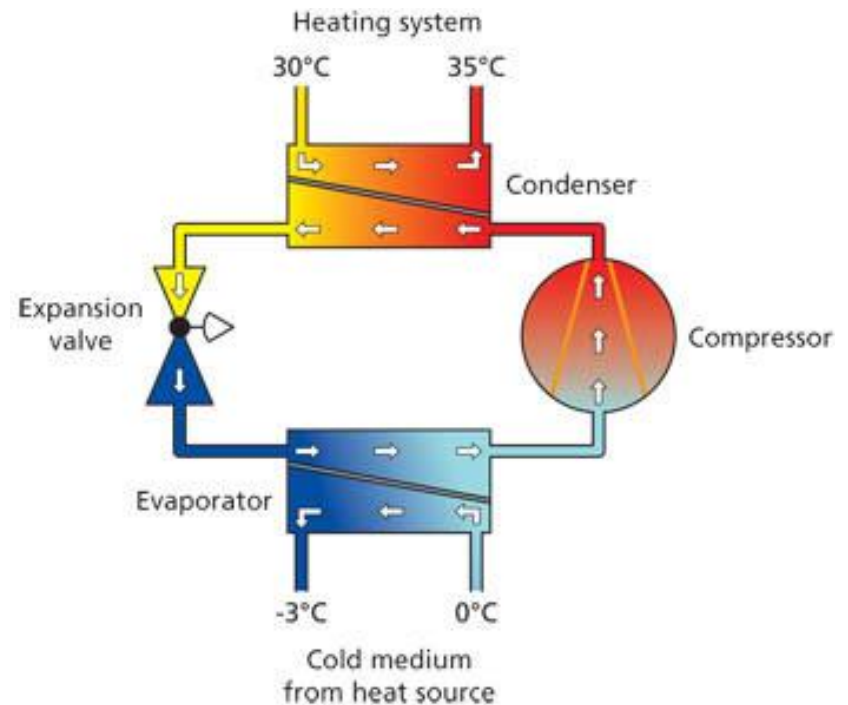




Heat pumps - principles

- heat pumping
- basic cycles
- main components of HPs





Heat pumps HP

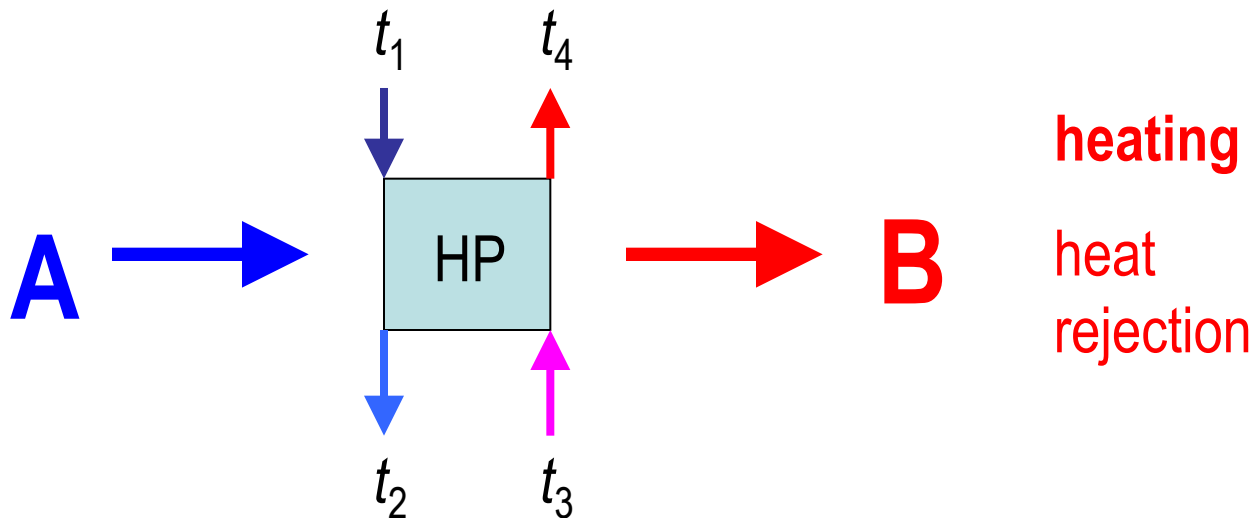
... generally devices for:

pumping the thermal energy from
environment **A**
at **low (= nonutilisable)** temperature

transferring it to environment **B**
at **higher (=utilisable)** temperature

cooling

heat
extraction



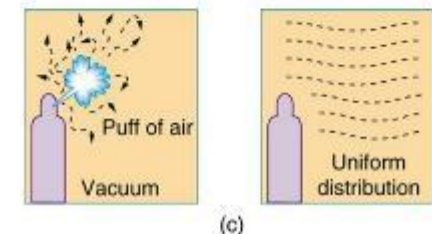
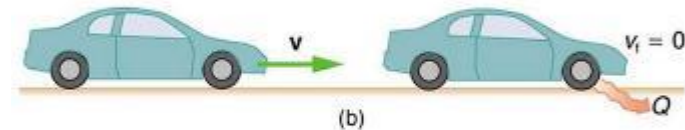
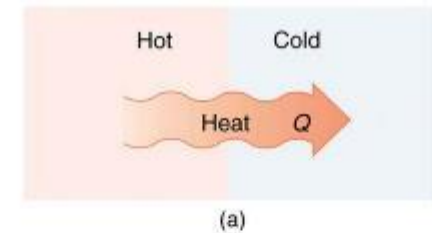


Heat pumps – basic principles

- **2nd law of thermodynamics**

(increase of entropy in isolated systems,
irreversibility of heat processes):

- „thermal energy **cannot** be **freely** transferred from environment at lower temperature to environment at higher temperature “
- the process can be realised only if external energy at **higher quality** (potential, temperature) enters the system



(entropy ...the rate of energy degradation)



Heat pumps – basic principles

- high-potential energy
 1. **electric** (electric engine)
 2. **mechanical** (shaft, gearing)
 3. heat at **higher temperature** than temperature, to which the heat is pumped (gas burner)

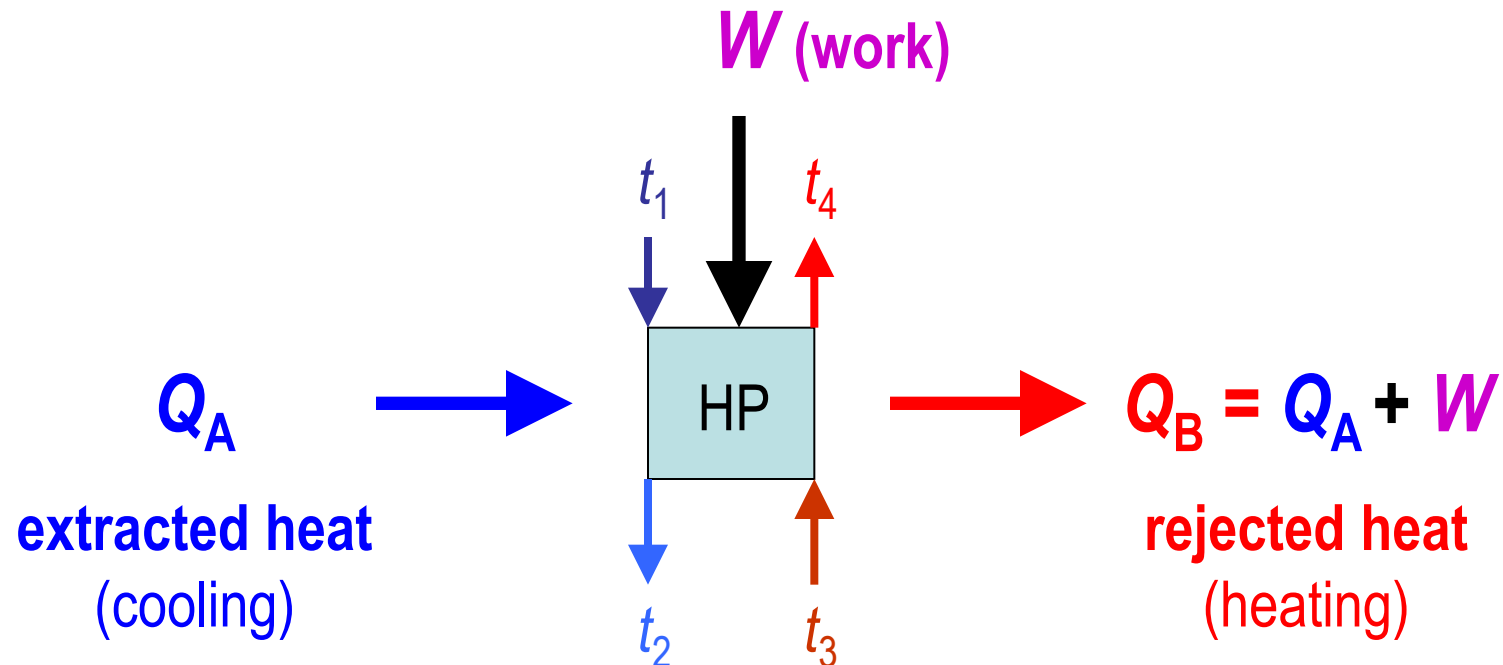




Heat pumps – basic principles

- heat **pumping**:

driving **high-potential energy** (work) W degrades
and is transferred to environment **B**
with the extracted (pumped) energy





Devices

cooling machine

- uses primarily the cooling effect
- usable heat is extracted heat from environment A (lowering the temperature)

»

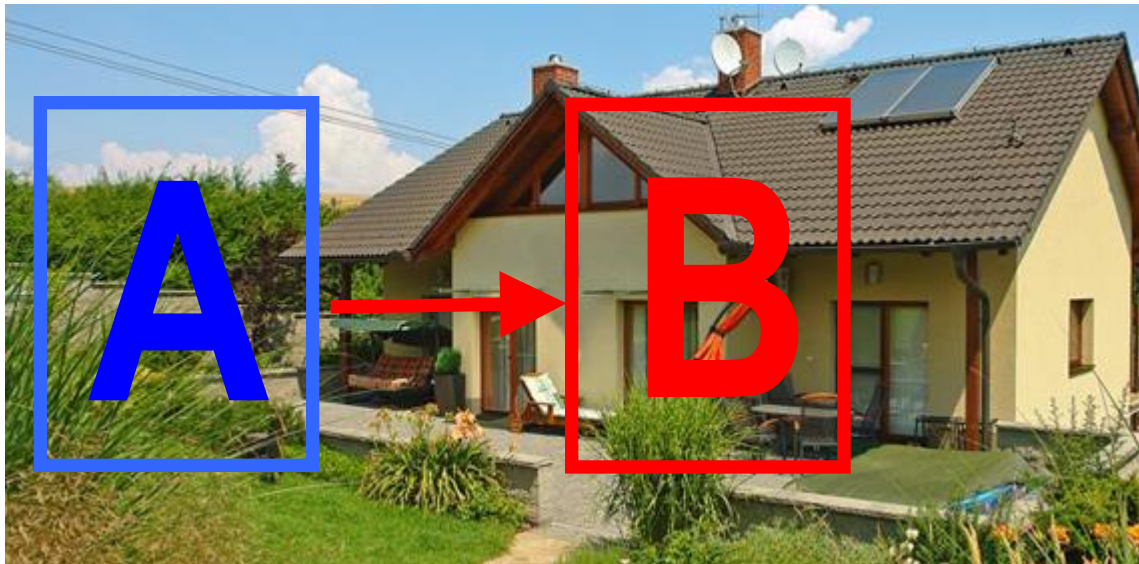
heat rejected to environment B
is not used (waste heat)





Devices

- **heat pump**
 - usable heat is the rejected heat to environment **B**



- difference is not in the principle, but in character of heat management
- both devices can't be simply mixed – differences in practical construction



Energy performance

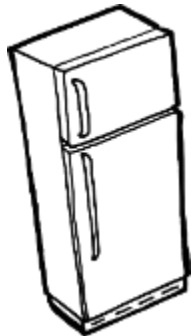
$$\text{Coef.of performance} = \frac{\text{what} \cdot \text{we} \cdot \text{want}}{\text{what} \cdot \text{we} \cdot \text{pay}}$$



coefficient of performance

COP

$$COP = \frac{Q_B}{W}$$



energy efficiency ratio

EER

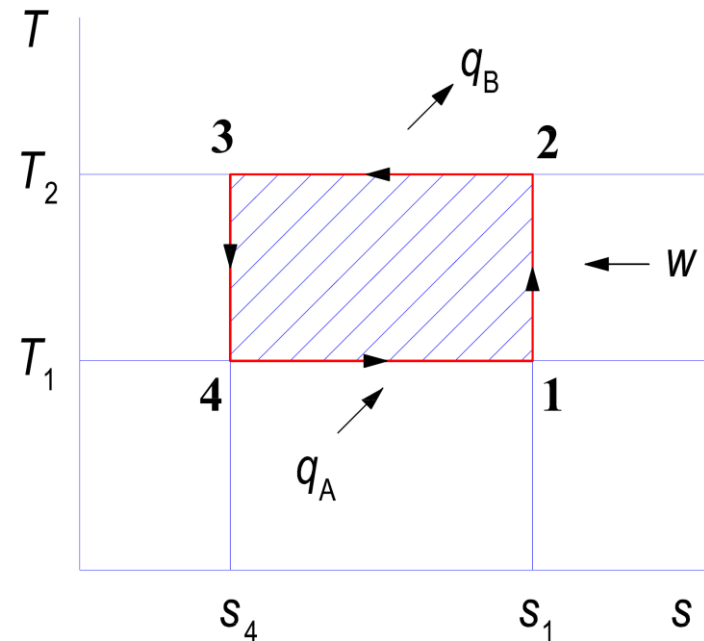
$$EER = \frac{Q_A}{W}$$



Carnot cycle

- **theoretical cycle**
 - reversible (ideal)
 - the most efficient thermal cycle
 - can't be realised in reality
- **isoentropic changes ($s = \text{const.}$)**
 - Expansion, compression | |
- **isothermal changes ($T = \text{const.}$)**

heat output	q_B	
heat input	q_A	





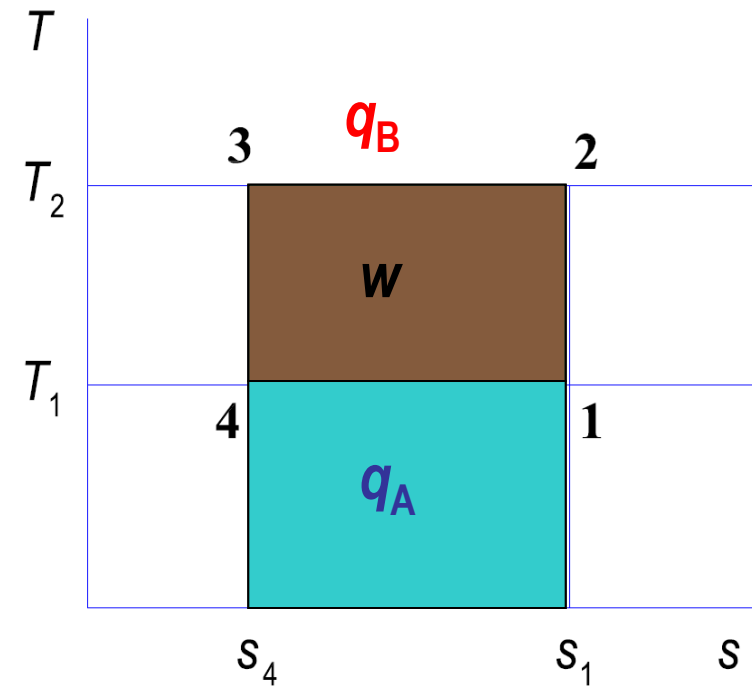
Carnot cycle

specific energy

$$q_B = q_{23} = T_2 \cdot (s_1 - s_4) \quad [\text{J/kg}]$$

$$q_A = q_{41} = T_1 \cdot (s_1 - s_4)$$

$$w = q_B - q_A = (T_2 - T_1) \cdot (s_1 - s_4)$$



$$COP_C = \frac{q_B}{w} = \frac{T_2}{T_2 - T_1}$$

$$EER_C = \frac{q_A}{w} = \frac{T_1}{T_2 - T_1} = COP_C - 1$$



Carnot cycle

- **unrealistic cycle – not considering:**

- finite surface area of heat exchangers
- thermophysical properties of working fluids (refrigerants)
- real efficiency of driving energy source
- heat losses
- auxilliary energy (pumps to overcome hydraulics losses)

- **real coefficient of performance – comparison with Carnot**

$$COP_{HP} = \eta_{HP} \frac{T_2}{T_2 - T_1}$$

comparative efficiency $\eta_{HP} = 0,4$ to $0,6$
small HP capacity large HP capacity



Example

- environment A 0 °C
- environment B 40 °C 60 °C
- calculate Carnot $COP_{HP} = \eta_{HP} \frac{T_2}{T_2 - T_1}$

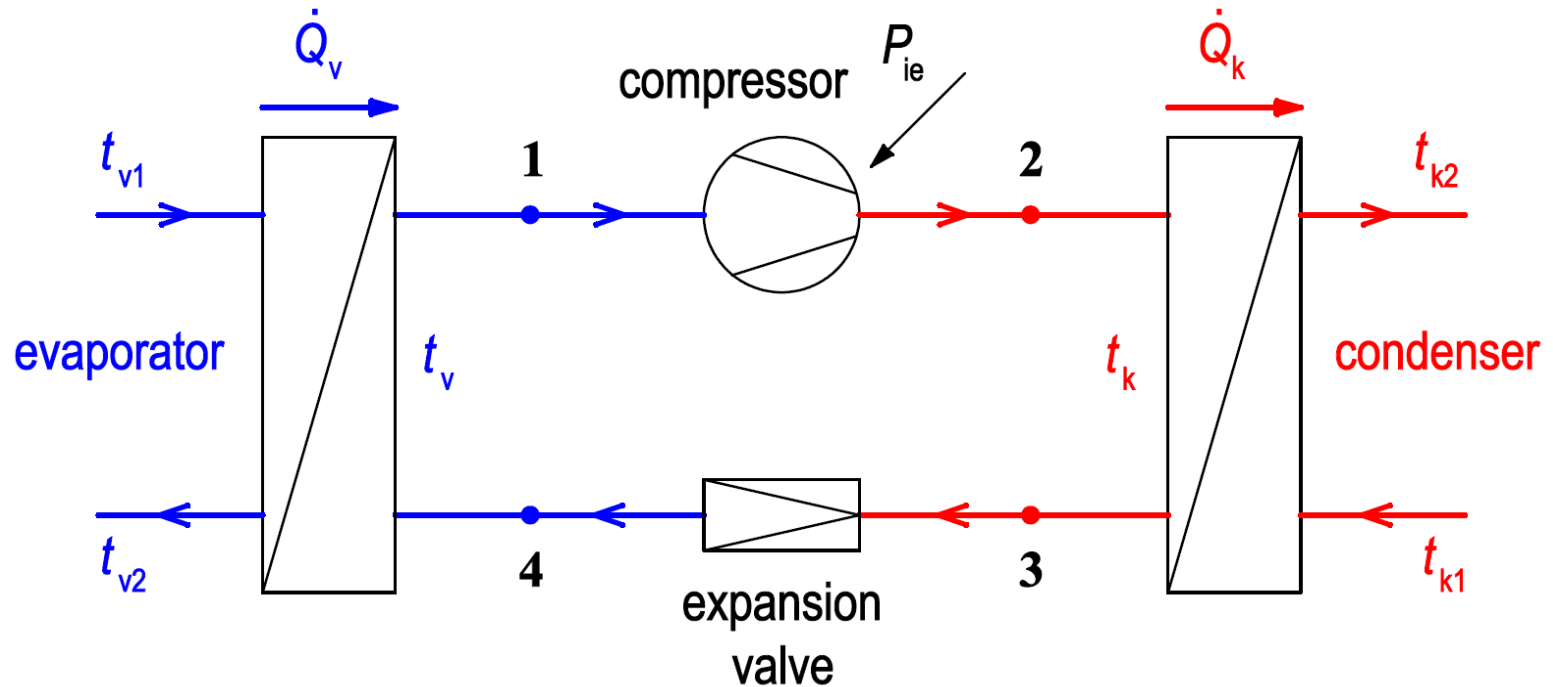
Carnot COP ... 6,8 4,6

Real COP ... 2,7 – 4,1 1,8 – 2,7


 small or/and inefficient HP big or/and efficient HP

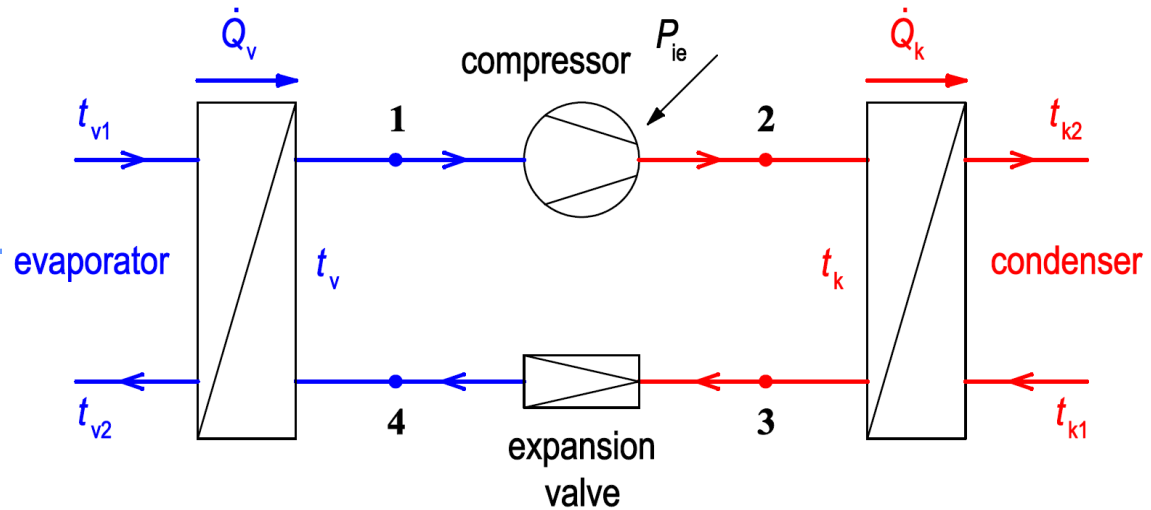


vapour cycle (ideal)



$$\dot{Q}_k = \dot{Q}_v + P_{ie}$$

$$COP = \dot{Q}_k / P_{ie}$$

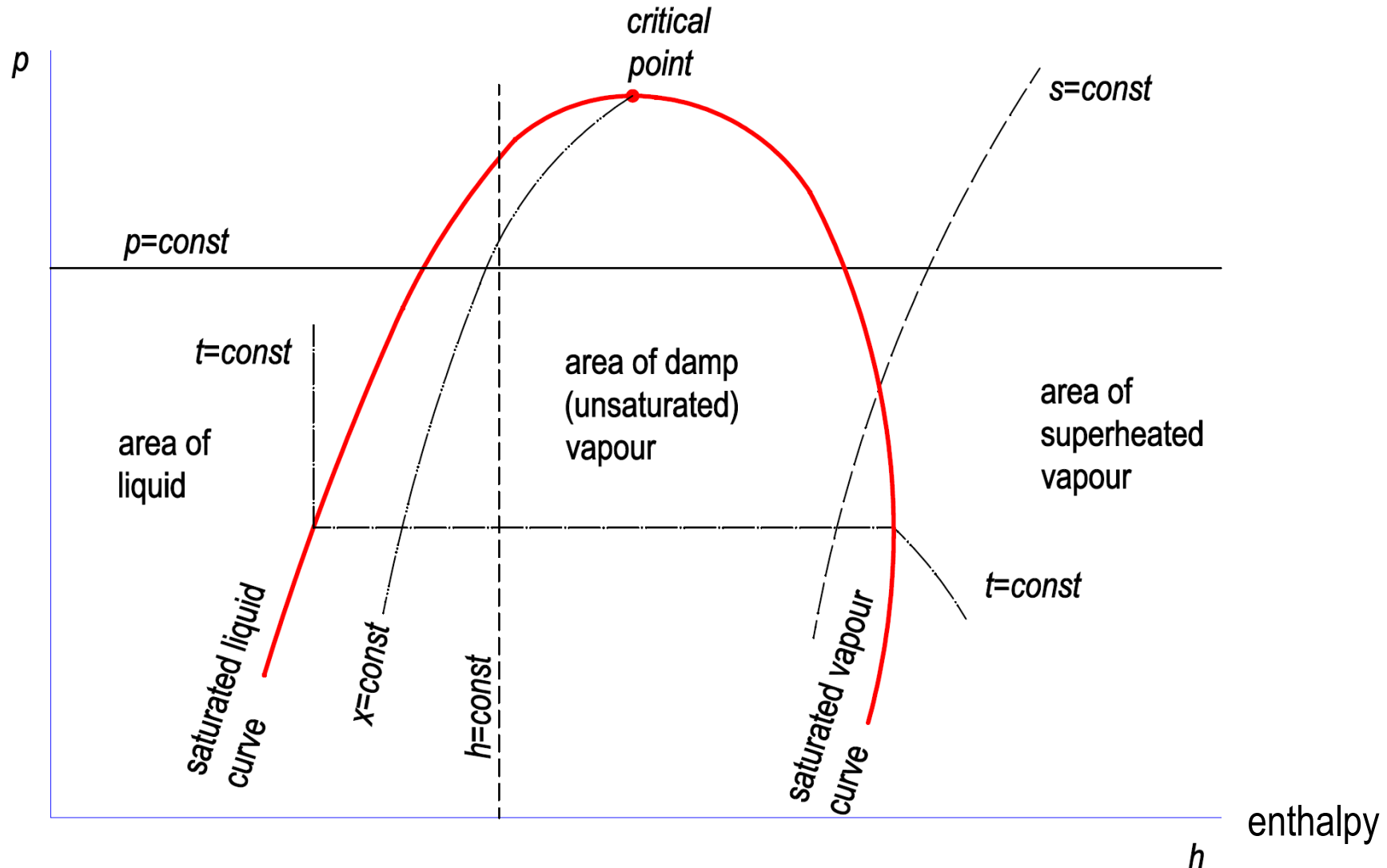


- most widespread cycle

- 1) heat extraction at **low** temperature and **low** constant pressure with phase change (evaporation) of working fluid in **evaporator**
- 2) vapour suction and compression by a **compressor**
increase of pressure = increase of boiling point of the fluid
- 3) heat rejection at **high** temperature and **high** constant pressure with phase change (condensation) of working fluid in **condenser**
- 4) decrease of pressure (expansion) in **expansion valve**
decrease of pressure = decrease of the boiling point of the fluid

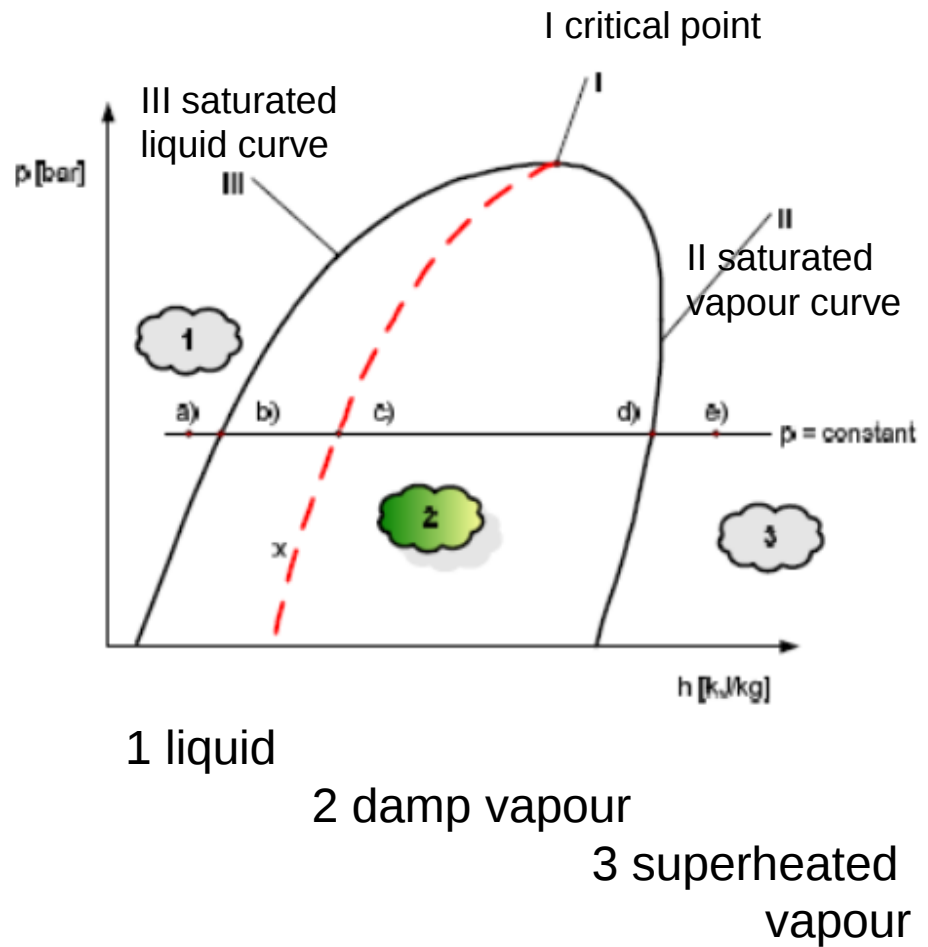
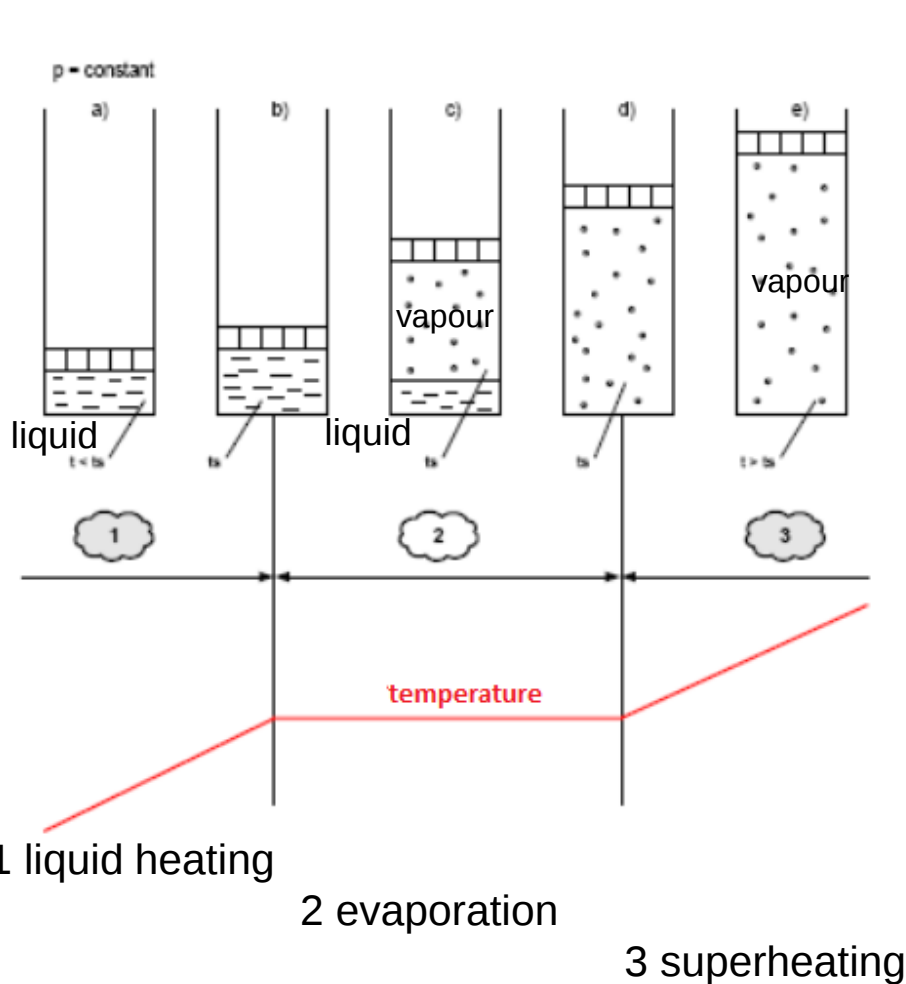


Working fluid – refrigerant (diagram)

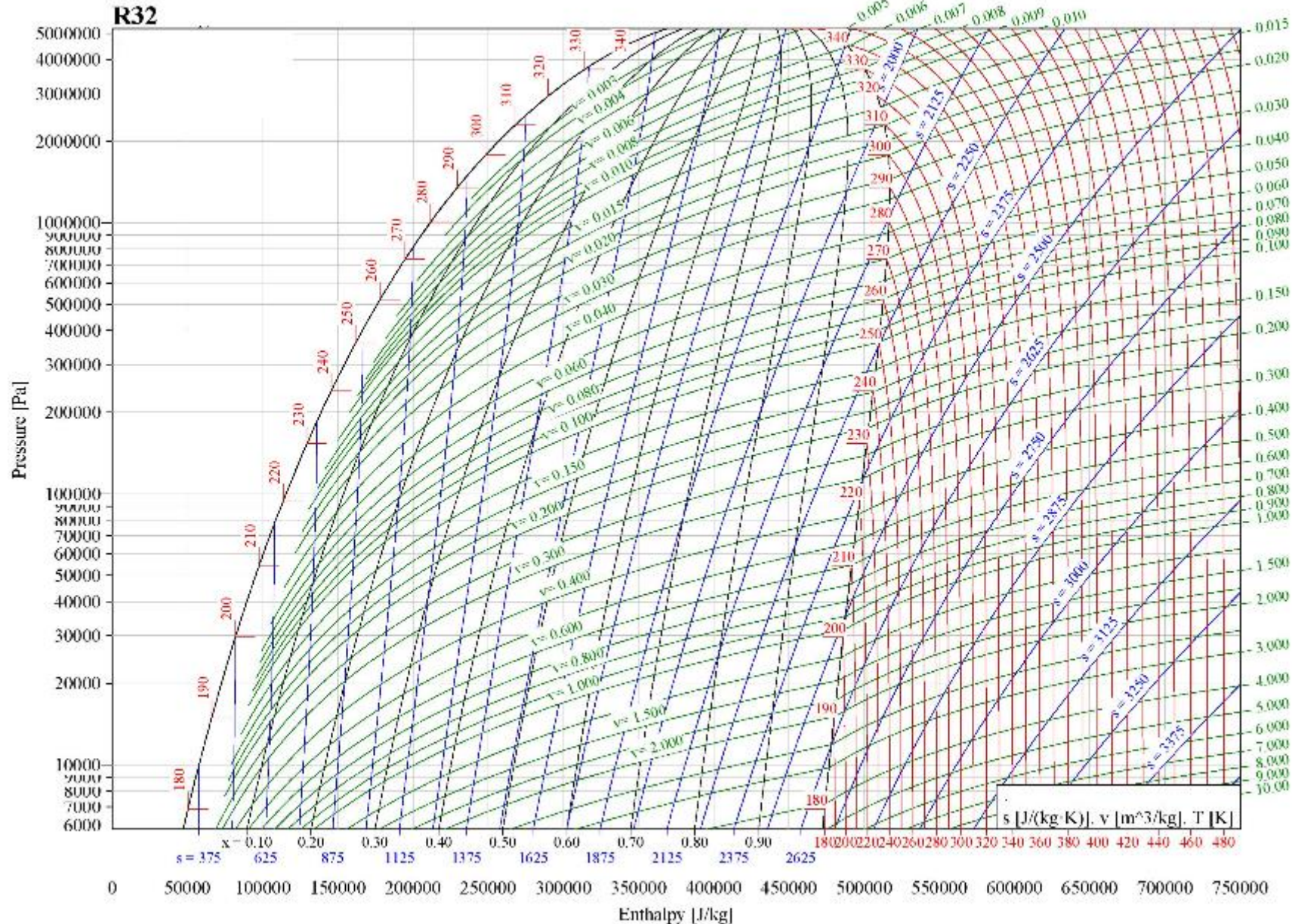




Evaporation of water in the pot

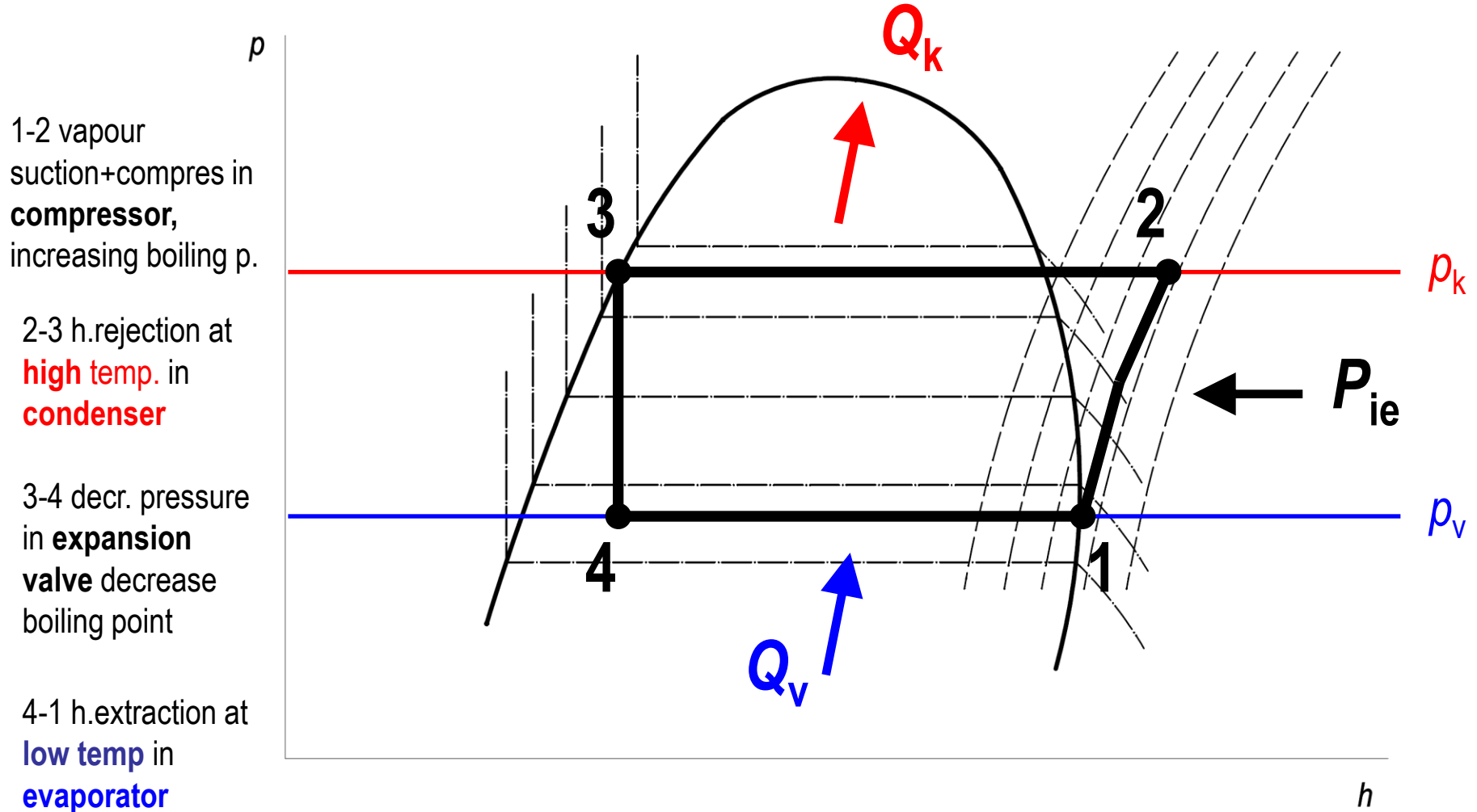


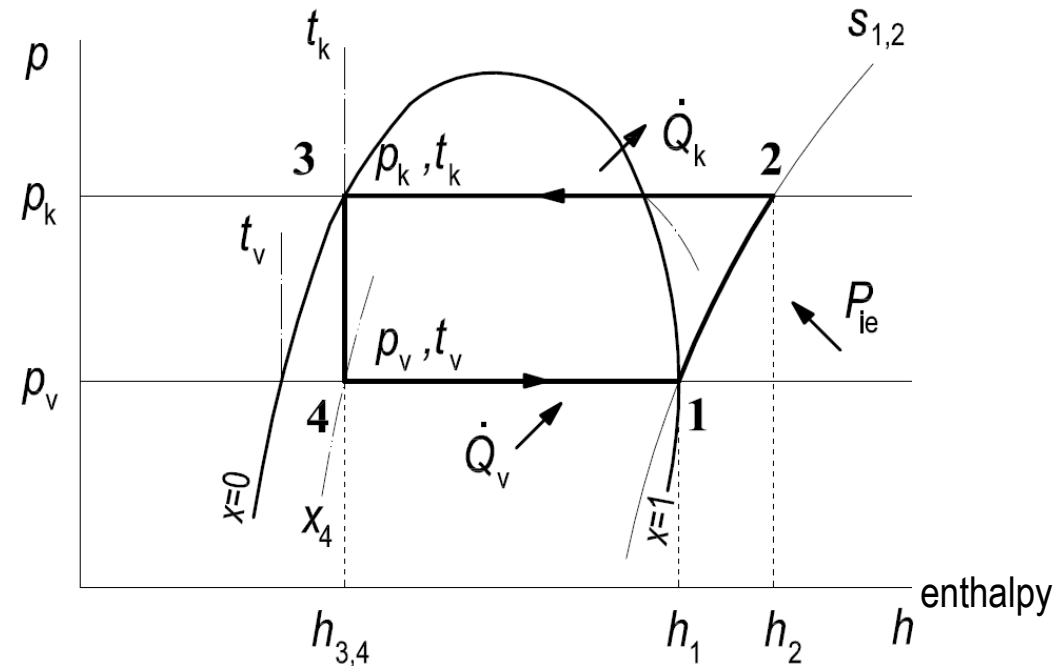
Working fluid – refrigerant (diagram)

 $h \text{ [J/kg]}$



Rankin vapour cycle (ideal)





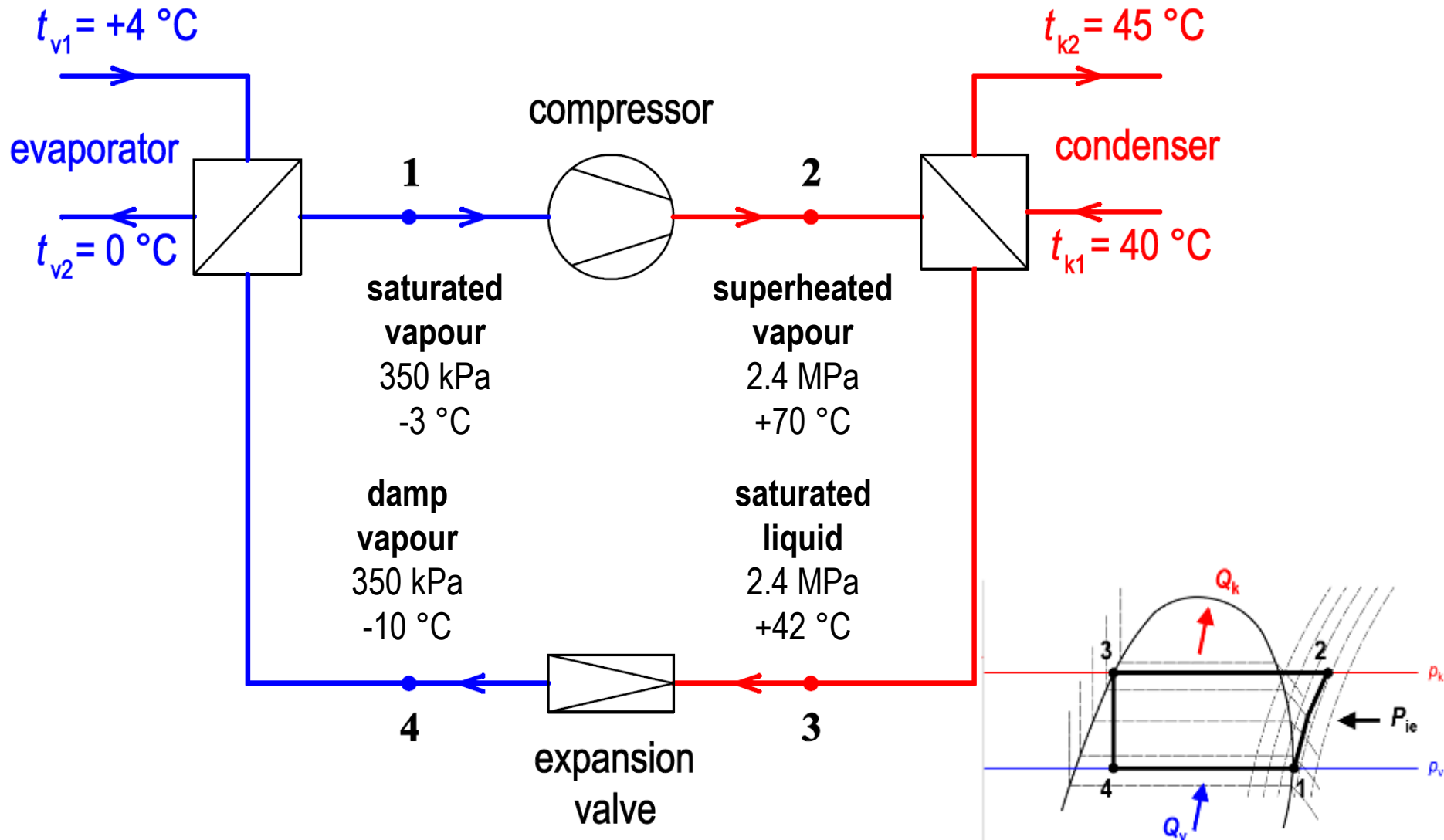
$$P_{ie} = \dot{M}_r \cdot (h_2 - h_1)$$

$$COP_R = \frac{\dot{Q}_k}{P_{je}} = \frac{h_2 - h_4}{h_2 - h_1}$$

$$EER_R = \frac{\dot{Q}_V}{P_{je}} = \frac{h_1 - h_4}{h_2 - h_1}$$



(ideal) Rankin vapour cycle - example



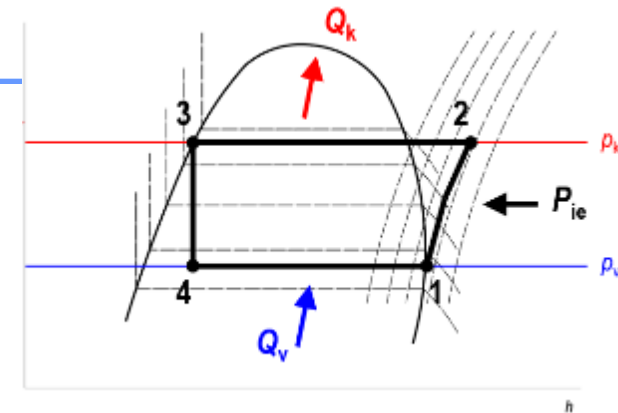


Rankin vapour cycle

- **ideal Rankin cycle** assumes:

- no subcooling at condenser, no superheating at evaporator, refrigerant states at saturated curves
- no pressure losses (pipes, heat exchangers)
- no heat loss of heat pump
- isentropic (ideal) compression

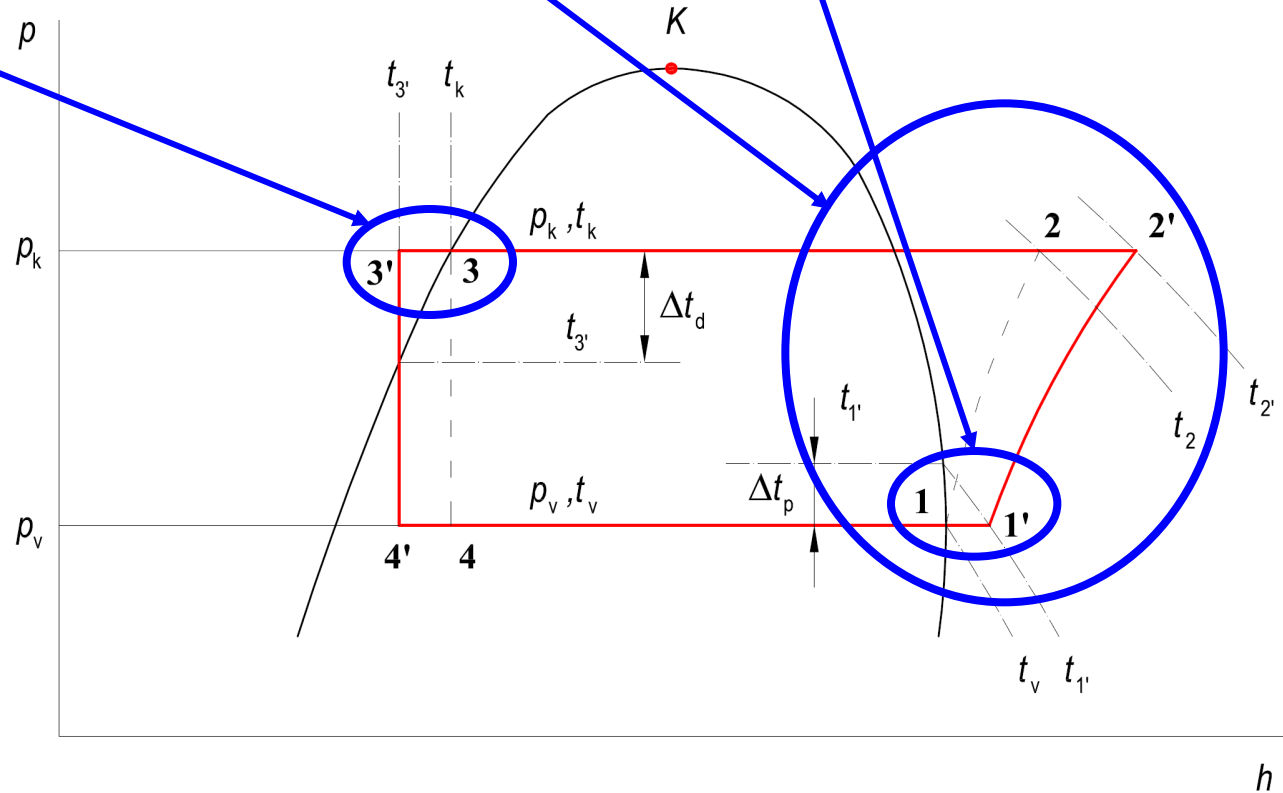
- Rankin cannot be realised, but differences from real cycle are quite small

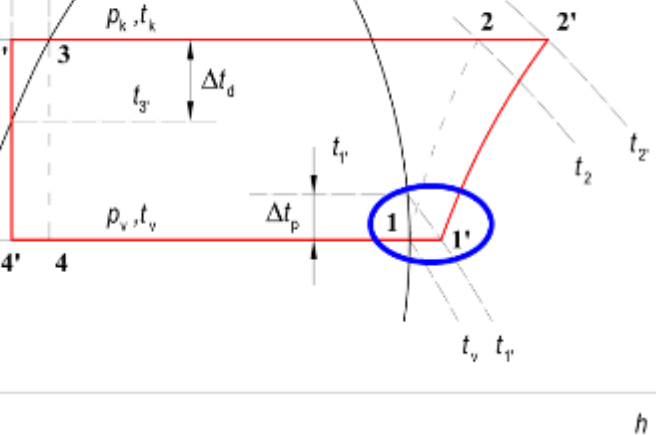




Real vapour cycle

- differences from Rankin cycle in:
 - superheating of refrigerant at evaporator $1 - 1'$
 - polytropic compression $1' - 2'$
 - subcooling of refrigerant liquid at condenser $3 - 3'$





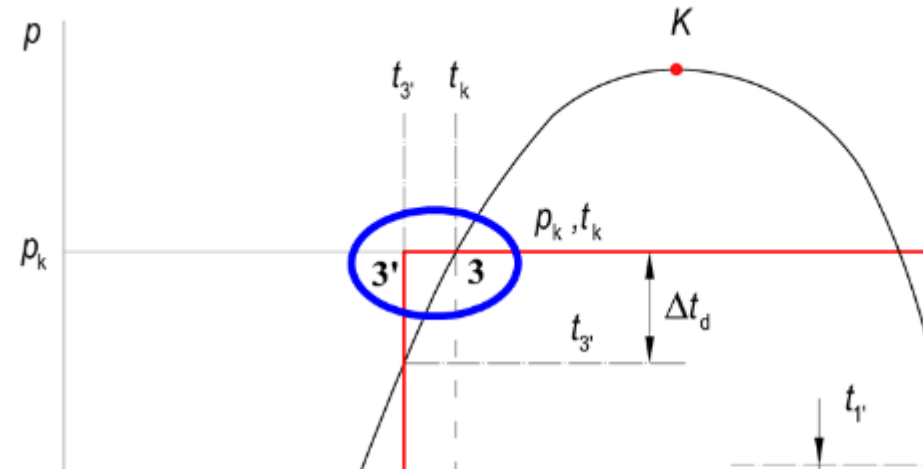
Superheating at evaporator

- compressor sucks the superheated vapour (1')
- superheating has **an advantage** (contrary to cooling devices) – higher specific heat output
- superheated vapour at compressor intake = **longer durability**
- superheating due to:
 - function of controlled expansion valve
 - heat input from ambient = heat gains to pipe between evaporator and compressor
 - heat input from electric motor in hermetic compressor



Subcooling at condenser

- subcooling of liquid refrigerant under saturated state
- subcooling has benefits:
 - **proper function of expansion valve** – subcooling provides liquid refrigerant input = stabilisation, elimination of cavitation effects, higher durability
 - **increase of effectiveness** – increase of specific heat output without additional electric power demand





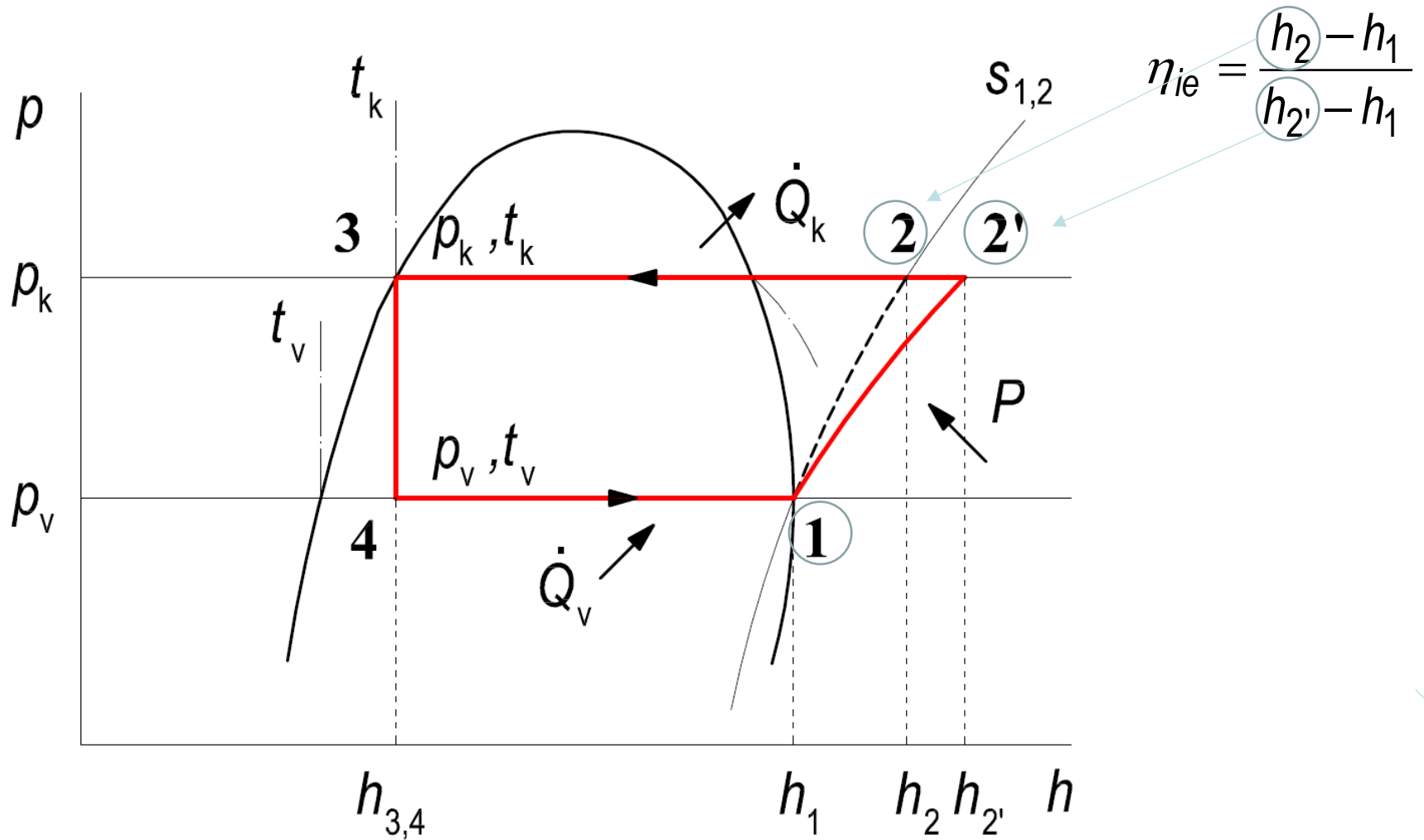
Real compression

- compression of vapour is not isentropic (without losses)
- **polytropic compression:** increase of energy demand by real processes in compressor
- isentropic efficiency

$$\eta_{ie} = \frac{h_2 - h_1}{h_{2'} - h_1} = \frac{\text{isentropic work}}{\text{actual work}} = \frac{P_{ie}}{P_e} = \frac{\text{theoretical isentropic input}}{\text{electric (indicated) input}}$$



Real compression



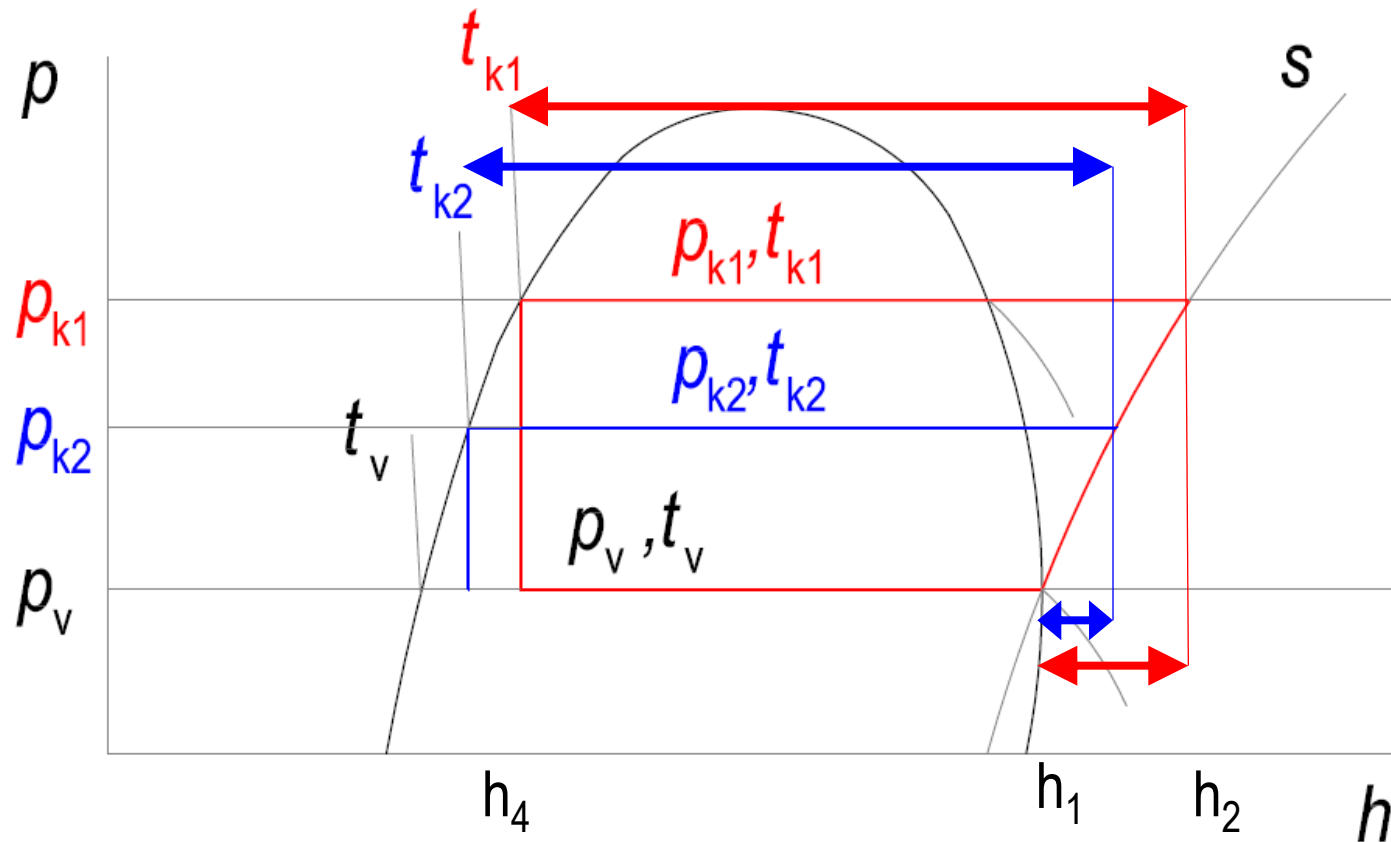


COP dependent on temperatures

- **condensation temperature t_k** – given by the rejection system
 - space heating systems
 - hot water preparation
- **evaporation temperature t_v** – given by temperature of heat source (cooled environment)
 - ground, air, water, waste heat



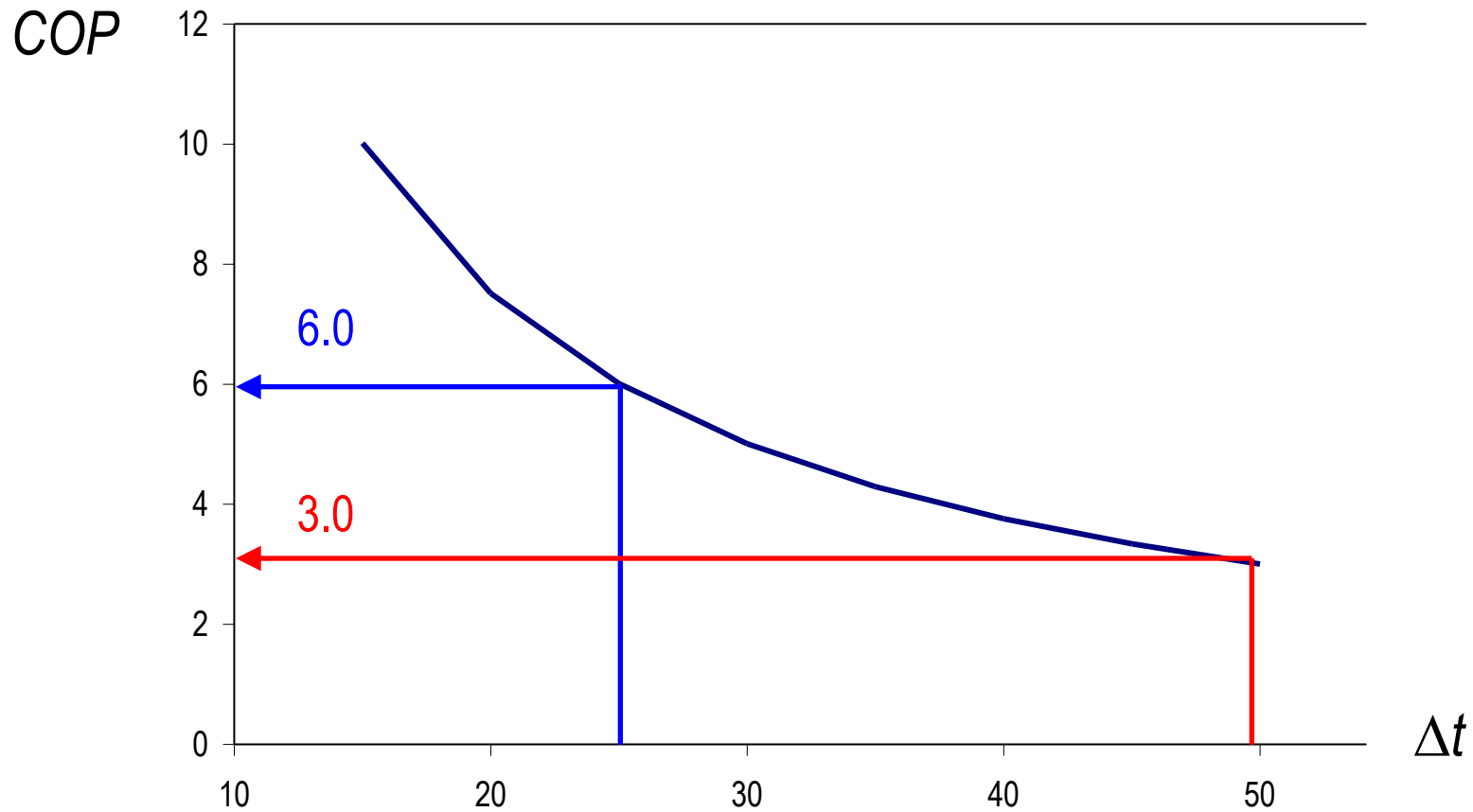
COP dependent on temperatures



$$COP_R = \frac{\dot{Q}_k}{P_{ie}} = \frac{h_2 - h_4}{h_2 - h_1}$$



COP dependent on temperatures



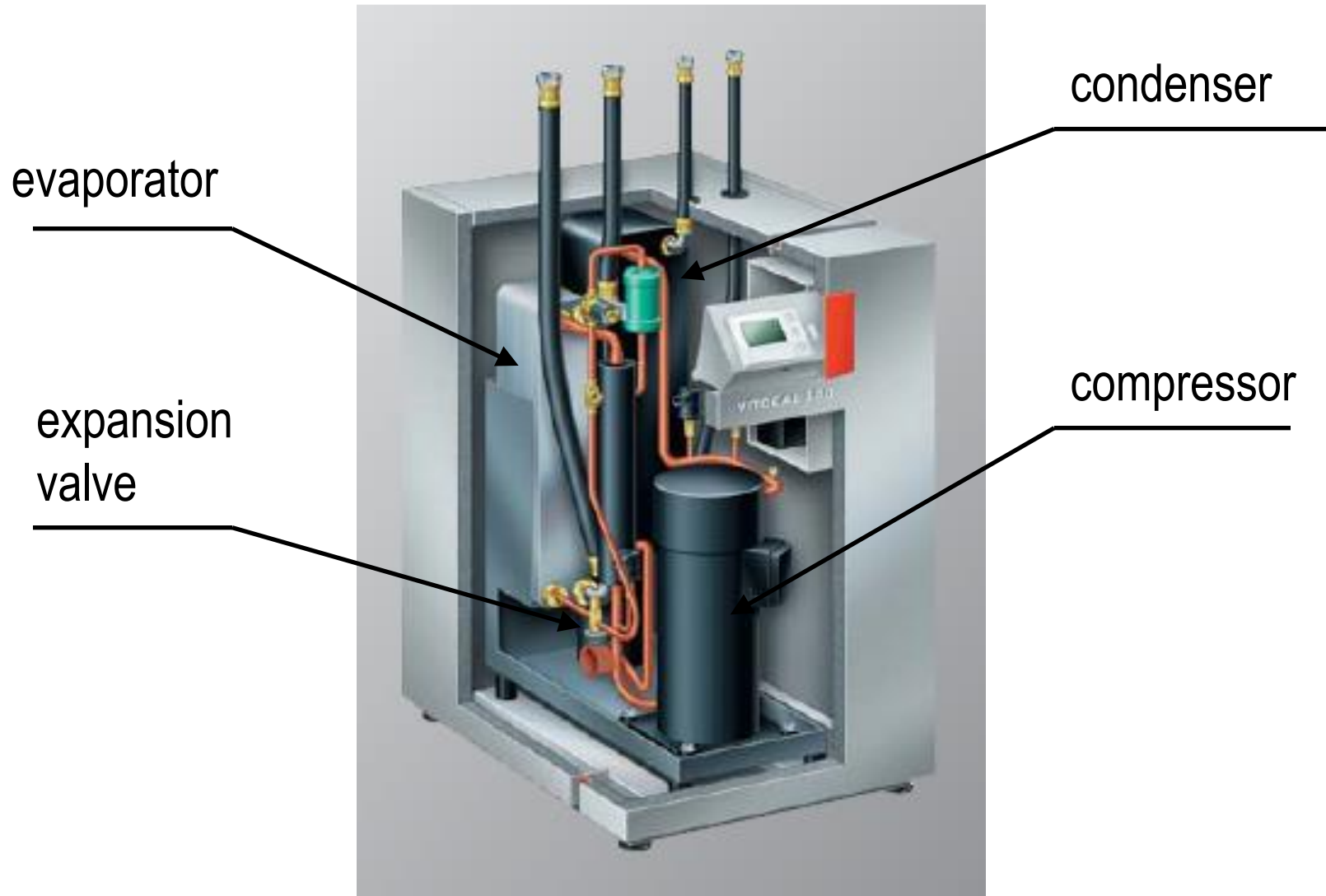


***COP* dependent on**

- type of **refrigerant**
- type of **compressor**
- sizing of **heat exchangers**



Heat pump components





Compressor

- **rotating spiral compressors (scroll)**
 - working cycle: suction-compression-discharge
 - motion of rotor spiral on stator spiral
 - continuous change of compression volume
 - suction at perimeter, discharge in center
 - durability, longlife, low vibration, low noise level





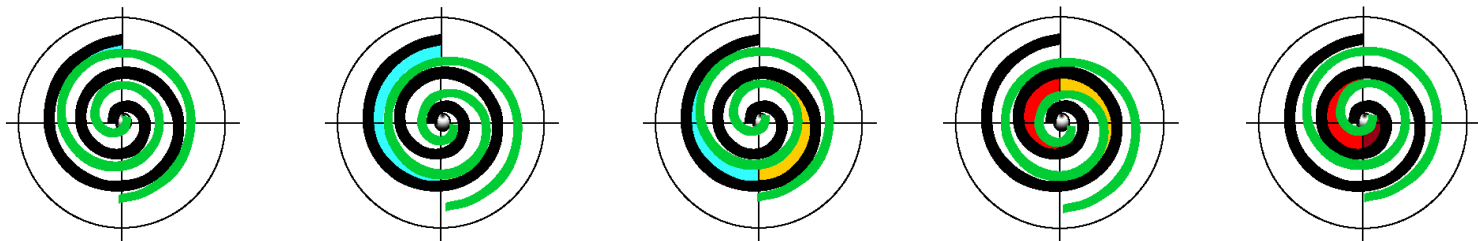
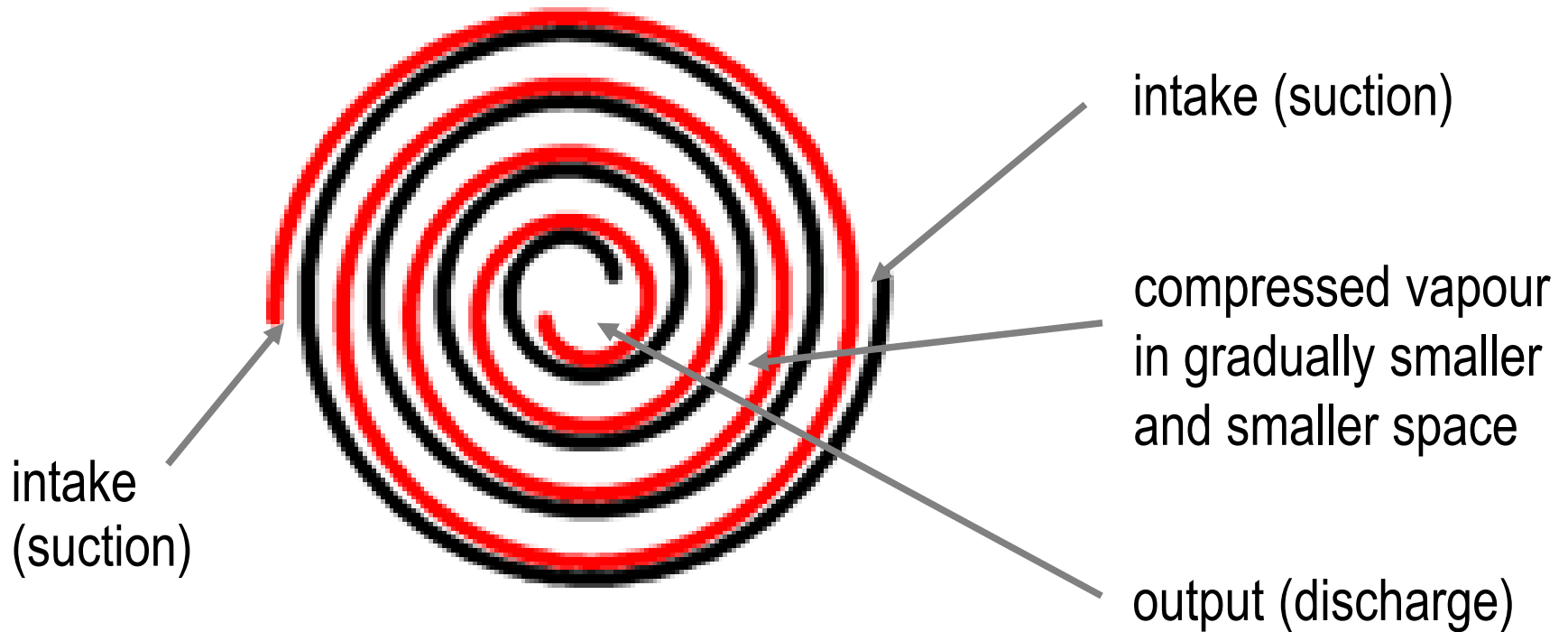
Spiral compressor - function



- Stationary scroll
- Orbiting scroll
- Intake gas before compression
- Compression after one rotation
- Compression after two rotations
- Compression after three rotations



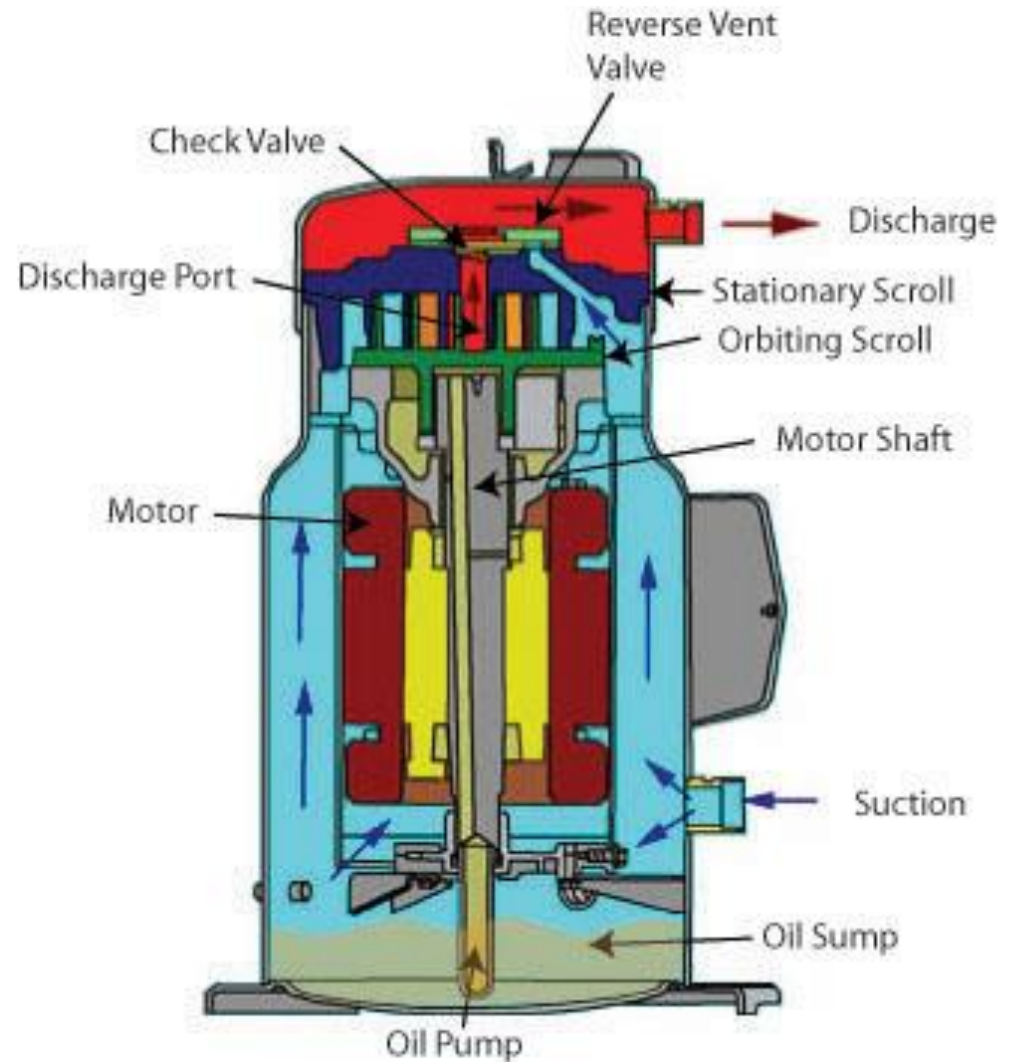
Spiral compressor - function





Compressor construction

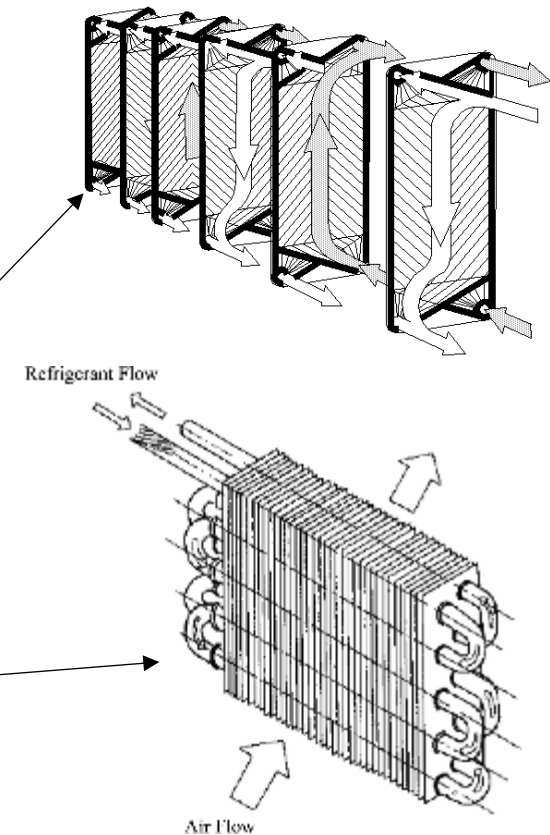
rotating spiral compressor





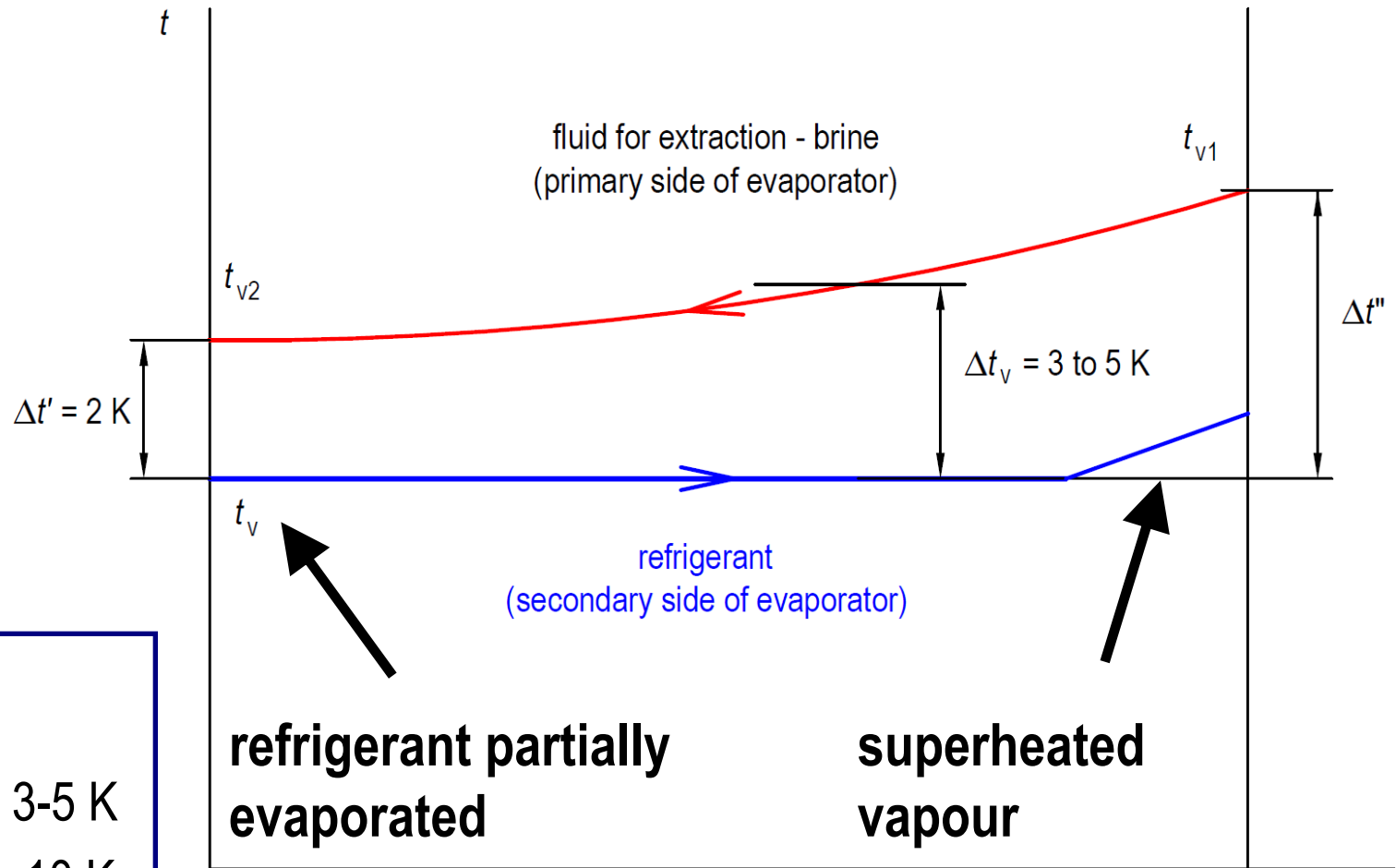
Evaporator

- extracts the heat from low temperature heat source (cooled environment) by evaporation of refrigerant at low pressure at temperature **lower** than output temperature of cooled fluid
- **cooling of heat transfer fluid :**
 - brine (ground source)
 - water (water source)
 - air (air source)
- **heat exchangers:**
 - liquids: plate heat exchanger
 - air: pipe with fins heat exchanger





Evaporator



$$t_{v1} - t_{v2}$$

liquids 3-5 K

air 10 K



Heat capacity $\dot{Q}_v$ of evaporator

$$\dot{Q}_v = U_v \cdot A \cdot \Delta t_v$$

Heat transfer coef. $W/(m^2K)$

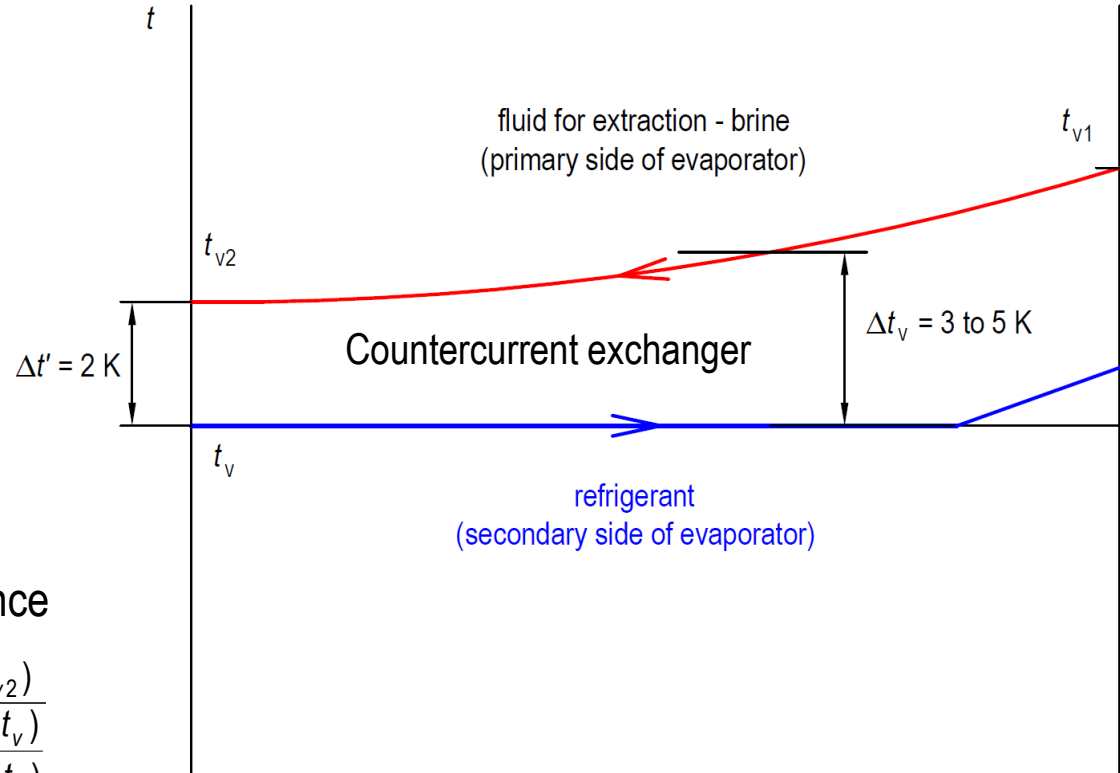
Area (m^2)

(logarithmic) mean temperature difference

$$\Delta t_v = \frac{\Delta t'' - \Delta t'}{\ln \frac{\Delta t''}{\Delta t'}} = \frac{(t_{v1} - t_v) - (t_{v2} - t_v)}{\ln \frac{(t_{v1} - t_v)}{(t_{v2} - t_v)}} = \frac{(t_{v1} - t_{v2})}{\ln \frac{(t_{v1} - t_v)}{(t_{v2} - t_v)}}$$

After linearization

$$\Delta t_v = \frac{t_{v1} + t_{v2}}{2} - t_v$$





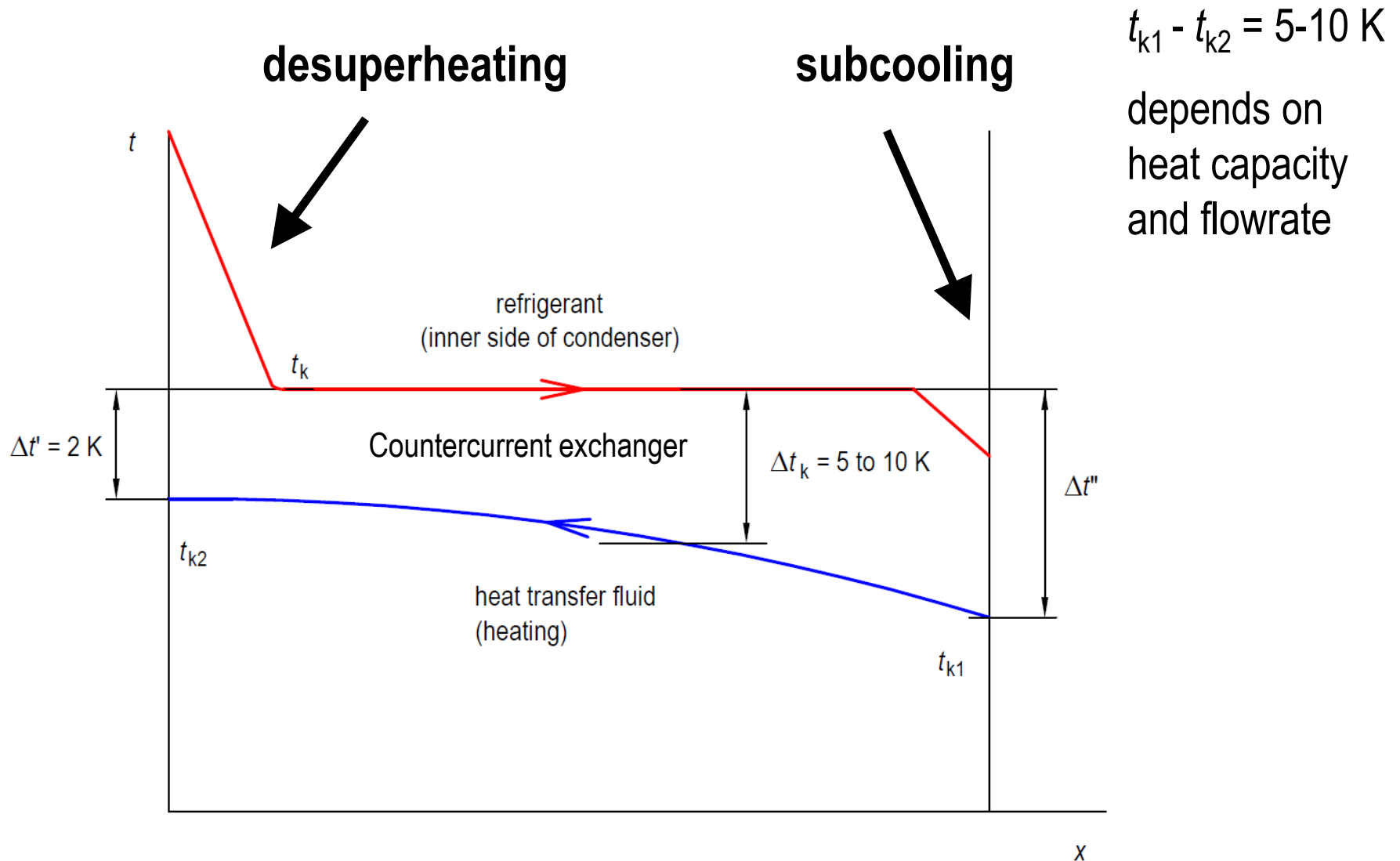
Condenser

- rejects the heat into heat transfer fluid (heated environment) by condensation of refrigerant at high pressure and temperature **higher** than output temperature of heated fluid
- **heating of heat transfer fluid.**
 - heating water (usual HP)
 - DHW (water heaters with HP)
- **heat exchangers.**
 - plate HX
 - pipe with fins (inside the tank)





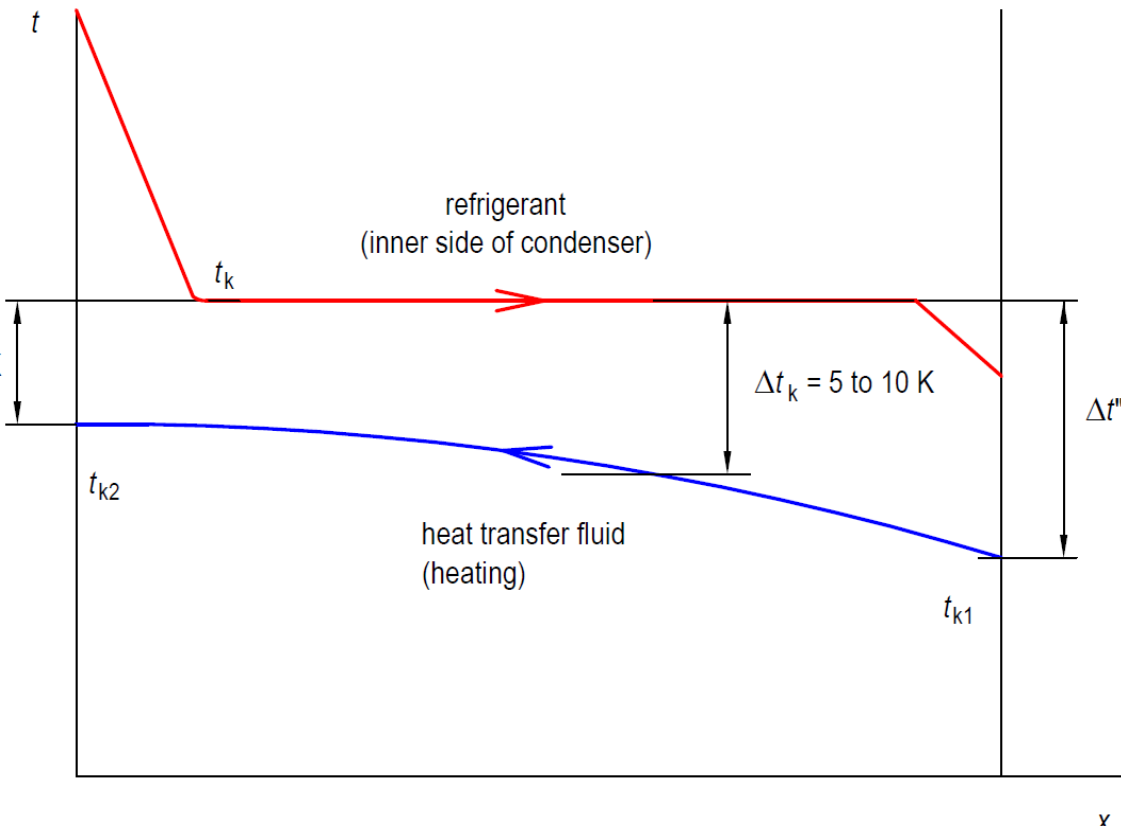
Condenser





Heat capacity of condenser

$$\dot{Q}_k = U_k \cdot A \cdot \Delta t_k$$



$$\Delta t_k = \frac{\Delta t'' - \Delta t'}{\ln \frac{\Delta t''}{\Delta t'}} = \frac{(t_k - t_{k1}) - (t_k - t_{k2})}{\ln \frac{(t_k - t_{k1})}{(t_k - t_{k2})}} = \frac{(t_{k2} - t_{k1})}{\ln \frac{(t_k - t_{k1})}{(t_k - t_{k2})}}$$

linearization

$$\Delta t_k = t_k - \frac{t_{k1} + t_{k2}}{2}$$



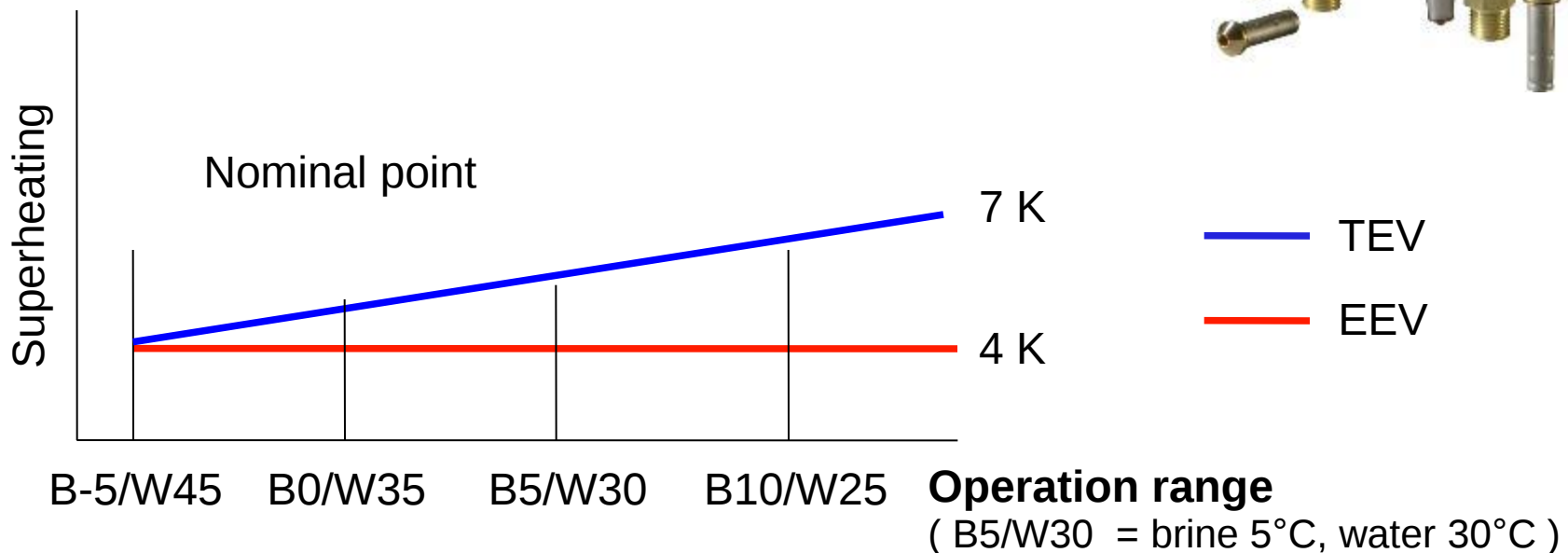
Expansion valve

- **keep pressure difference** between high-pressure and low-pressure side of the cycle
- **controls the refrigerant flowrate** from condenser to evaporator in dependence on output temperature from evaporator
- **keep refrigerant superheating** at evaporator output $\Delta t_s > 5 \text{ K}$
- refrigerant passing through EV is partially evaporated by expansion and the damp vapour (mixture of vapour and liquid droplets) enters into the evaporator



Expansion valve

- expansion valve
 - capillary – for constant operation conditions (refrigerator)
 - thermostatic expansion valve (TEV)
 - electronic expansion valve (EEV)
accurate control of superheating





Refrigerants

- **azeotropic**

- perform as pure liquids, vapour content is not changing at boiling point (phase change)
- R22, R290, azeotropic mixture: R502 or R507

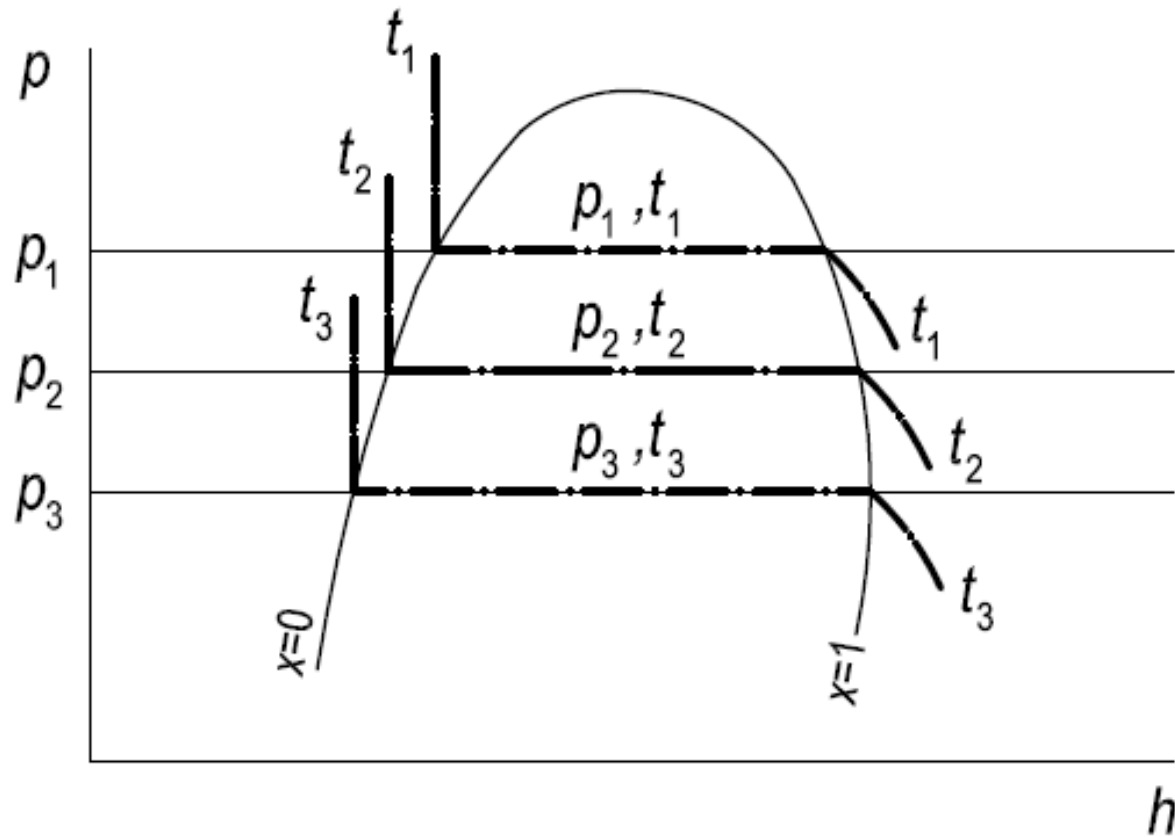
- **zeotropic**

- mixtures usually from 2 to 4 refrigerants
- **temperature glide** – nonuniform evaporation of refrigerant components, difference in evaporation temperatures of components at constant pressure. Evaporation: temperature moderately increases.
- e.g. R407a



Refrigerants

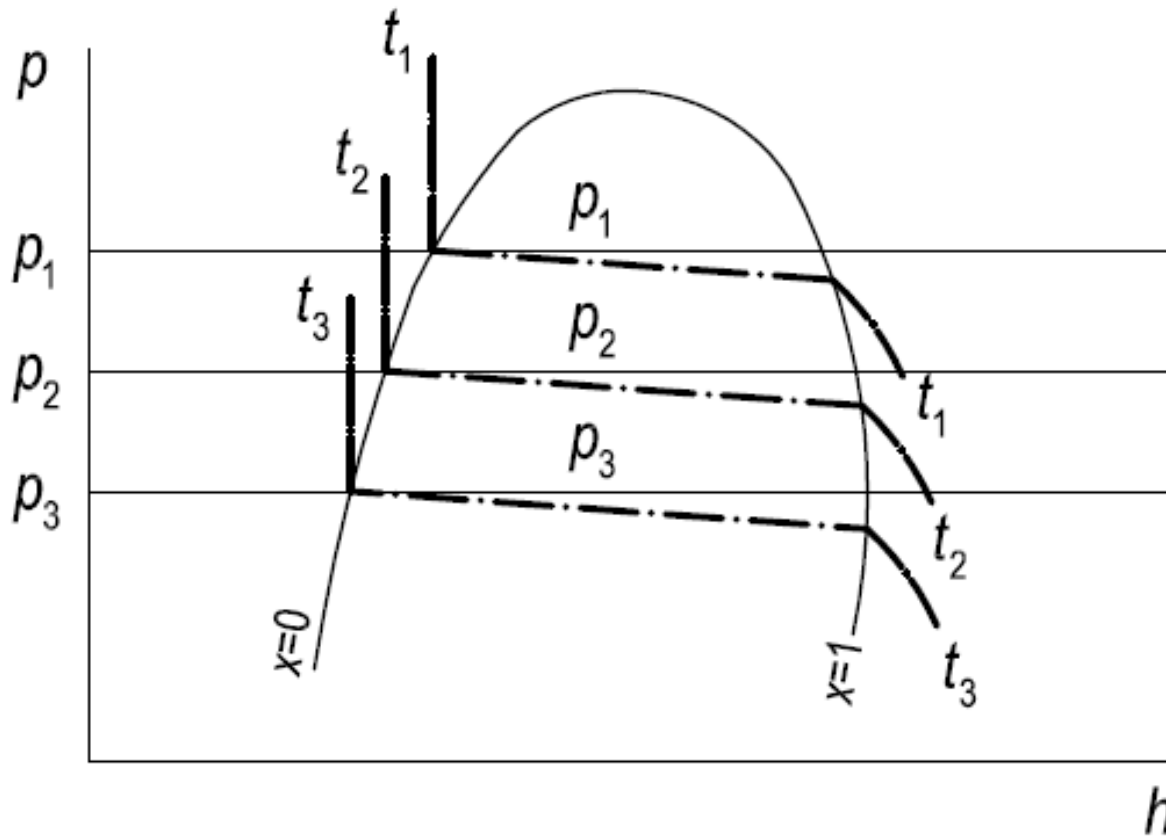
azeotropic





Refrigerants

zeotropic (temperature glide)





Refrigerants

■ CFC

- fully halogenated hydrocarbons and mixtures, i.e. all atoms of **H** in molecule are replaced by halogenid atoms (**Cl**, **F**, **Br**)
- „hard freons“
- R11, R12, R13, R113, R114, R115, R502, R503 etc.

forbiden
no servis

■ HCFC

- chloro-fluorinated hydrocarbons, atoms of **H** in molecules
- „soft freons“
- R21, R22, R141b, R142b, R123, R124

forbiden
no servis



Refrigerants

- **HFC**

- no chlor atoms in molecule, only fluor
- R152a, R125, R407c, **R134a, R410c, R32**

expensive,
gradually
replaced

- **HFO (hydro-fluor-olefin)**

also composed of hydrogen, fluorine and carbon atoms, but contain at least one double bond between carbon atoms

longterm
alternative

- **R1234yf**

- **HC** natural hydrocarbons and mixtures

- ammonia, propan (R290)
- no halogenids, flammable, toxic

green
refrigerants

- **CO₂ (R744)** **???? (R718)**

preferred